Stimulated Brillouin Scattering Phase Conjugate Mirror and its Application to Coherent Beam Combined Laser System Producing a High Energy, High Power, High Beam Quality, and High Repetition Rate Output

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1. Introduction

Stimulated Brillouin scattering (SBS) is a nonlinear optical process that generates backward scattered phase conjugate wave (Zel'dovich et al., 1972; Zel'dovich et al., 1985; Damzen et al., 2003; Brignon & Huignard, 2004). A device that generates the phase conjugate wave by the SBS process is called SBS phase conjugate mirror (PCM). An SBS-PCM can compensate wavefront distortion induced by a phase aberrator, such as a laser gain medium; hence, it is widely used in high-energy laser systems to obtain a high-quality beam. Efficient heat dissipation is a major issue in high-energy laser systems, particularly with regard to the high repetition rate. The combination of beams from small laser systems is a constructive approach to this issue. Of the various beam combined systems using SBS-PCMs, the cross-type beam combined system has many outstanding advantages, such as perfect isolation of leak beam, compensation of thermal birefringence, easy alignment and convenient maintenance (Kong et al., 1997, 2005a). Since the SBS wave generates from a thermal noise, it naturally has a random phase with respect to the incident beam. Therefore the phase controlling of the SBS wave is a key technology in the realization of a coherent beam combined system. For this reason, the self-phase control method was proposed and has been developed by Kong et al. (2005a, 2005b, 2005c), which can control the phase of the SBS wave with the simplest composition as well as ease of alignment, no limitations on the number of combined beams, and excellent phase conjugation. Furthermore, the active phase control with a piezoelectric translator (PZT) enables long-term phase stabilization (Kong et al., 2006, 2008). In addition to a random phase characteristic, the distortion that generally occurs in a pulse waveform of an SBS wave is another negative characteristic in terms of the beam combination. Kong et al. (2005d) has overcome this problem with the SBS waveform preservation technique, which is called the prepulse injection method. These works are expected to boost the development of laser systems in term of a high level of energy and

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power, a high-quality beam, and a high repetition rate. A laser system with these characteristics has tremendous potential in the fields such as laser machining, particle accelerators, neutron or proton generators, military weapons, and laser fusion drivers.

2. Stimulated Brillouin scattering phase conjugate mirror

2.1 Optical phase conjugation

Optical phase conjugation is a nonlinear optical phenomenon that accurately reverses the propagation direction and phase variation of an incoming light beam. A nonlinear optical device that produces the phase conjugate reflection is called a PCM (Zel'dovich et al., 1972; Eichler et al., 2001). Fig. 1 compares a PCM with a conventional mirror. In case of a conventional mirror, the wavefront is distorted twice when passing through an aberrating medium twice; however, there is no distortion with the PCM. The use of a PCM therefore eliminates phase distortions in optical systems (Andreev et al., 1992; Seidel et al., 1997). For example, in a solid-state laser amplifier, phase distortions arise from thermal refractive index changes in the laser crystal. If a PCM is used to make the incoming beam pass the laser crystal twice, these distortions disappear. Hence, PCMs are widely used in the high-energy laser systems.

Fig. 1. Wavefront reflections at a conventional mirror and a phase conjugate mirror

2.2 Stimulated Brillouin scattering

The most commonly used way of producing optical phase conjugation is SBS (Boyd, 1992; Damzen et al., 2003; Shen, 2003). SBS is normally achieved by focusing a laser beam into a SBS medium. In this medium, spontaneous scattering from a sound wave generates a wave that travels in the opposite direction and that wave interferes with the incoming wave, thereby inducing density modulations. Because the induced density modulations have the same frequency as the initial sound wave, they are amplified and reinforce the backscattering. The phase conjugated backscattered part is dominant because the amplification depends strongly on the extension of the interference area. As a result, there is an exponential rise of the reflected phase conjugated signal. The acoustic grating seems to be a self-adapting mirror because the wavefronts of the acoustic grating match the wavefronts of the incoming beam. If the incident wavefront has any disturbance, it results in a self-adapting mirror curvature with a response time in the nanosecond range. In addition, SBS lowers the frequency of the phase conjugated wave as much as the sound wave frequency in accordance with the energy conservation.

3. Reflectivity of an SBS-PCM

The SBS reflectivity is almost equal to that of an ordinary mirror when the pump bandwidth, $\Delta\nu_p$, is smaller than the Brillouin linewidth, Γ (steady state region) (Boyd, 1992;

Yoshida et al., 1997). However, many SBS-PCM applications necessarily involve a broadband pumped SBS (transient region) because laser systems that use an SBS-PCM usually have a broadband spectrum to obtain high output power and short pulse widths (Dane et al., 1995; Králiková et al., 2000). Several theoretical and experimental investigations have reported on the use of a broadband pump in the SBS reflectivity. For a broadband pump, the SBS reflectivity depends on the relation between four parameters: the coherence length, l_c ; the characteristic interaction length, z_0 , which is usually equal to the Rayleigh range; the mode spacing, Ω_m ; and the Brillouin linewidth, Γ . When the coherence length is longer than the interaction length ($l_c > z_0$), the SBS gain for the broadband pump is as high as the coherence length for the narrowband pump (Narum et al., 1986; D'yakov, 1970; Filippo & Perrone, 1992). Furthermore, if the pump laser mode spacing exceeds the Brillouin linewidth ($\Omega_m > \Gamma$), regardless of the mode structure, the SBS gain is the same as that of a single longitudinal mode pump (Narum et al., 1986). Moreover, even if $\Omega_m < \Gamma$, the off-resonant acoustic waves, which are generated by the beating between the pump laser mode and another Stokes mode, play an important role in enhancing the gain and the reflectivity (Mullen et al., 1987; Bullock et al., 1994). In all the previously mentioned works, however, the influence of the multimode pump was considered only for two or several longitudinal modes and low pump energy near the SBS threshold. For this reason, the characteristics of SBS reflectivity by a multimode pump with numerous modes and high energy have been investigated (Lee et al., 2005; Kong et al., 2005a).

Liquid	Γ (MHz)	g_B (cm/GW)	n_2 ($10^{-22} \text{ m}^2/\text{V}^2$)	P_c (MW)	E_b (mJ)
Fluorinert FC-75	350	4.5-5	0.34	7.0	6
Carbon tetrachloride (CCl_4)	528	3.8	5.9	0.4	1.7
Acetone	119	15.8	8.6	0.28	1.5
Carbon disulfide (CS_2)	50	68	122	0.020	0.1

Table 1. Properties of the liquids used for the reflectivity experiments; Γ , Brillouin linewidth; g_B , steady state SBS gain; n_2 , nonlinear refractive index; P_c , critical power for self-focusing (calculated); E_b , breakdown threshold energy (measured).

The experimental setup for measuring the reflectivity of the SBS-PCMs is shown in Fig. 2. The pump laser is a Q-switched Nd:YAG laser and, using its single longitudinal mode injection seeder, it can be operated in the single-mode or the multimode. The laser linewidth is approximately 0.09 GHz in the single-mode and approximately 30 GHz in the multimode. Thus, the linewidth of the multimode case is much larger than the Brillouin linewidth of the liquids used in this experiment, listed in Table 1. (Kmetik et al., 1998; Yoshida et al., 1997; Erokhin et al., 1986; Sutherland, 1996). The focal length of the lens used for the SBS-PCM is 15 cm. This length corresponds to a Rayleigh range, z_0 , of 0.62 mm. Because the coherence length, l_c , is approximately 1 cm, it satisfies the condition of $l_c \gg z_0$. The temporal and spatial pulse width is 6 ns to 8 ns and 4 mm. The pump energy fluctuation is less than 1% for both cases, and the energy is measured for about 30 s at 10 Hz.

The SBS materials used in this experiment are Fluorinert FC-75, carbon tetrachloride (CCl_4), acetone, and carbon disulfide (CS_2). The SBS properties and the nonlinear refractive index, n_2 , of each liquid are shown in Table 1. They have a different nonlinear refractive index, n_2 , ranging from $0.34 \times 10^{-22} \text{ m}^2/\text{V}^2$ to $122 \times 10^{-22} \text{ m}^2/\text{V}^2$. Furthermore, each liquid has a different

Fig. 2. Experimental setup for the measurement of the SRS reflectivity; $\lambda/2$, half wave plate; Pol, polarizer; M, mirror; ND, neutral density filter; $\lambda/4$, quarter wave plate; PBS, polarizing beam splitter; BS, beam splitter; PD, photodiode

Brillouin linewidth, ranging from 50 MHz to 528 MHz. The breakdown threshold, E_b , which is listed in Table 1, was measured when a bright spark appeared inside the SRS cell.

Figs. 3(a) and 3(b) show the SRS reflectivity for the single-mode and the multimode cases of CCl_4 and Fluorinert FC-75 as a function of the pump energy. Note that CCl_4 and FC-75 have a very similar SRS gain and Brillouin linewidth (see Table 1), which results in a similar reflectivity curve of typical nonlinear variation for the single-mode pump. For the multimode pump, the SRS reflectivity is different for each of the liquids. The fact that the SRS threshold for both pump modes is approximately the same regardless of the liquids indicates that the SRS gain for the multimode pump is as high as that for the single-mode pump in both liquids. The peak reflectivity is 30% in CCl_4 and more than 65% in FC-75, though the reflectivity decreases as the pump energy increases. Note also that even though the single-mode pump generally has a higher SRS gain (Valley, 1986; Arecchi, 1972), the SRS reflectivity in CCl_4 is slightly higher for the multimode pump than for the single-mode pump near the SRS threshold of the single-mode case. For FC-75, on the other hand, the behavior is exactly the opposite.

Several factors appear to contribute to the reflectivity difference of the multimode pump. We interpret the SRS reflectivity for the multimode pump in terms of the temporal intensity spikes of the multimode pulse, which are absent in the single-mode pulse. A beating between a large numbers of longitudinal mode brings the intensity spikes to rise, and the intensity spikes have enough power to induce nonlinear effects, such as self-focusing and the optical breakdown. The self-focusing that is caused by the intensity spikes is likely to lead to an anomalously high reflectivity of the multimode pump near the SRS threshold in CCl_4 . The critical power of the self-focusing is given by

$$P_c = \frac{\pi \epsilon_0 c^3}{n_2 \omega^2}, \quad (1)$$

Fig. 3. SBS reflectivity vs. pump energy for various active media in the single-mode and the multimode cases; (a) CCl_4 ; (b) FC-75; (c) acetone; (d) CS_2

where ε_0 is the permittivity of the vacuum and c is the speed of light (Yariv, 1975). According to Eq. (1), the critical power, P_c , is 0.4 MW for CCl_4 and 7.0 MW for FC-75. In the case of the single-mode pump for CCl_4 , the critical power of 0.4 MW is slightly larger than the SBS threshold (~5% energy reflection) of approximately 1.8 mJ (0.26 MW). However, the multimode pulse can induce temporal small-scale self-focusing in CCl_4 below the SBS threshold because the high peak power of the intensity spikes can exceed the critical power, P_c . If a good approximation of steady state SBS threshold relation $I_{th}g_{Bl}=25-30$ (where I_{th} is the SBS threshold intensity, g_B is the SBS gain, and l is the interaction length) is maintained, the self-focusing leads to an increase in the intensity of the pump beam in the focal region and, hence, can reduce the SBS threshold energy (Králíková et al., 2000). As shown in Fig. 3(a), the self-focusing consequently results in a lower SBS threshold and a slightly higher reflectivity near the SBS threshold in CCl_4 . Fig. 4 represents the temporal pulse shapes of the pump and the Stokes pulse in different energy scales for both types of pump when the pump beam with an E_p value of 1.5 mJ is focused into a CCl_4 cell. As expected, the multimode pulse has large intensity spikes whereas the single-mode pulse has no large intensity spikes. On the other hand, the SBS reflectivity in the FC-75 is not affected by the self-focusing near the SBS threshold because the critical power for FC-75 is approximately 18 times larger than the critical power for CCl_4 . Consequently, the SBS reflectivity for the multimode pump is lower than that for the single-mode pump near the SBS threshold.

Fig. 4. Pump and reflected pulse shapes in (a) multi-mode and (b) single-mode cases at $E_p \sim 1.5$ mJ in CCl_4

The self-focusing seems to be deleterious for SBS because it can enhance the optical breakdown. The experimental results in Table 1 confirm that the optical breakdown starts at an E_p value of approximately 1.7 mJ in CCl_4 and at ~ 6 mJ in FC-75. We observed that the breakdown appears around the focal spot near the breakdown threshold; and when the pump energy increases, the breakdown becomes severe and produces a filament shape consisting of bright sparks. The breakdown disturbs the creation of acoustic phonons.

In addition to the breakdown due to self-focusing, an intensity spike can easily generate an optical breakdown by itself because it has a very steep rising edge. For efficient SBS to occur, temporal fluctuations in the pump must be slow in relation to the acoustic phonon lifetime. If the temporal fluctuations are fast in relation to the acoustic phonon lifetime, the acoustic waves have insufficient time to build up. Hence, the intensity spikes with the steep rising edge and energy levels that exceed the breakdown threshold can reach the focal area without losing their energy since they don't provoke a backward reflection. They can therefore generate an optical breakdown and reduce the SBS reflectivity even at low energy. For the single-mode case, the region of SBS reflection moves fast in the opposite direction to the pump pulse; and the pump pulse is reflected before the focal area from a region in which the optical intensity is too small to induce an optical breakdown (Hon, 1980). Thus, even if the pump energy is large, no optical breakdown is generated for the single-mode pump.

Fig. 3(c) shows the SBS reflectivity for acetone. The multimode pump provides higher reflectivity than the single-mode pump near the SBS threshold, which is very similar to the results of CCl_4 . Table 1 shows that acetone has approximately the same nonlinear refractive index as CCl_4 . Thus, the SBS reflectivity of the multimode pump with a large number of longitudinal modes is significantly affected by self-focusing induced by the high intensity spikes. The reflectivity for the multimode pump increases as the energy rises to 6 mJ and then decreases strongly because of the severity of the breakdown; in contrast, the reflectivity for the single-mode pump increases monotonically. Fig. 3(d) shows the measured reflectivity of CS_2 . Of all the four liquids examined, CS_2 has the lowest SBS threshold energy (approximately 0.3 mJ) and the highest reflectivity (approximately 95%) for the single-mode pump because it has the highest steady state SBS gain (Table 1). On the other hand, the SBS reflectivity for the multimode pump is the lowest and almost zero throughout the entire

region. The critical power (20 KW) for the self-focusing is about half the SBS threshold (40 KW). Furthermore, CS_2 has the longest acoustic lifetime (6 ns) of the liquids used (Erokhin et al., 1986), and this life-span is comparable to the pulse-width of the pump beam. As already mentioned, if the temporal fluctuations of the pump pulse are fast in relation to the acoustic phonon lifetime, the acoustic waves lack sufficient time to build up. As a result, CS_2 has a lower breakdown threshold (approximately 0.1 mJ) than the SBS threshold, and this very low threshold can account for the almost zero reflectivity observed. We observed that the optical breakdown produces a filament if the pump energy is almost as weak as the SBS threshold. Note that the stimulated Raman scattering (SRS) may be also responsible for the low reflectivity. CS_2 has a high SRS gain. The very short response time of the SRS process (10^{-11} s) implies that the SRS response to the intensity spikes of the multimode pulse is better than that of the SBS process (Linde et al., 1969).

4. The cross-type double-pass laser amplifier with symmetric SBS-PCMs

Kong et al. proposed a cross-type double-pass laser amplifier with symmetric SBS-PCMs. (Kong et al., 1998; Kong et al., 2001) Fig. 5 shows the conceptual layout. In this section, the noteworthy advantages of the cross-type amplifier with SBS-PCMs will be examined, particularly the use of the threshold of SBS-PCM to attain perfect isolation of the leak beam, the compensation of thermally induced birefringence (TIB), and the alignment-free property.

Fig. 5. A cross-type amplifier using SBS-PCM as a basic unit of a beam combined laser

4.1 Optical isolation by the threshold characteristic of SBS

As shown in Fig. 5, the proposed amplifier with an SBS-PCM is cross-shaped and consists of an amplifier and an isolator. The SBS-PCM in the right arm works as an optical isolator. It isolates the master oscillator from the leak beam perfectly if the optical path length, L , between the SBS-PCM and the post-stage is longer than the spatial pulse length. When the energy of the leak beam is lower than the SBS threshold, the leak beam cannot be reflected by the SBS-PCM and consequently the oscillator is isolated from the leak beam (Kong et al., 1998; Kong et al., 2001). Fig. 6(a) shows the experimental setup for testing the isolation when the SBS-PCM is used. An amplifier in the left arm is omitted and a mirror, M1, is in place for the experiment. Fig. 6(b) shows the optical isolator that uses the SBS-PCM can completely cut off the leak beam and the backward propagating beam such as the amplified spontaneous emission from the post-stages.

Fig. 6. (a) Schematic of the experimental set up: P1 & P2, polarizer; FR, Faraday rotator; PE, pyro-electric energy meter; QWP1 & QWP2, quarter-wave-plate; L1, lens; PBS, polarizing beam splitter; M1, conventional mirror. (b) Leak beam energy dependence on the optical path length L .

4.2 Alignment-free optical system

The principle of the isolator that uses SBS-PCMs was explained in the previous section. However, the fact that an additional arm uses SBS-PCMs implies that the system has an alignment-free characteristic, which is one of the advantages of the cross-type amplifier system with SBS-PCMs. As shown in Fig. 7, although other systems such as the systems shown in Figs. 7(b) and 7(c) change the beam pointing due to the misalignment of the polarizing beam splitter, the suggested system of Fig. 7(a) has no effect on the beam direction or the beam position. Thus, the beam pointing of the output has the same level as the input (the master oscillator). The insensitivity to the misalignment and tilting of any optical components relies on the fact that the beam reflected by SBS-PCM follows exactly the same path as the incoming beam on account of the phase-conjugate characteristics.

4.3 Compensation for the thermal birefringence in the amplifier medium

Diminishment of the thermal load and the related thermal effects, particularly the compensation for TIB, is a traditional and important topic in the high-energy laser field. As shown in Fig. 8, the amplifying part of a cross-type amplifier with an SBS-PCM has three components: an amplifier rod, a polarization rotator (such as a Faraday rotator or a quarter-wave-plate), and an SBS-PCM (SBS cell and focusing optics). The total system has four available configurations, which are shown in Figs. 8(a) to 8(d). As in similar situations (Han & Kong, 1995), the theoretical prediction of TIB compensation can be given by Jones matrices. When we use the matrix elements of the Faraday rotator, $F = \frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$, the

quarter-wave-plate, $Q = \begin{bmatrix} 1 & i \\ i & 1 \end{bmatrix}$, the glass rod, $G = \begin{bmatrix} e^{i\phi_r} & 0 \\ 0 & e^{i\phi_o} \end{bmatrix}$, and the rotation matrix,

$R = \begin{bmatrix} \cos\theta & \sin\theta \\ -\sin\theta & \cos\theta \end{bmatrix}$, the output after a double-pass amplification, $\begin{bmatrix} E_x \\ E_y \end{bmatrix}$, can be calculated. In

the setup of Fig. 8(a), the output polarization is represented by

Fig. 7. Change of the beam pointing due to the tilting PBS: (a) gives no change in cross-type amplifier with symmetric SBS-PCMs; (b) gives tilting in the conventional application of SBS-PCM; (c) gives displacement in the combination of conventional mirror and SBS-PCM

$$\begin{bmatrix} E_x \\ E_y \end{bmatrix} = QRGR^{-1}RGR^{-1} \begin{bmatrix} 1 \\ 0 \end{bmatrix} = -\frac{i}{2} \begin{bmatrix} (\cos \theta - i \sin \theta)^2 (e^{2i\phi_r} - e^{2i\phi_\theta}) \\ (e^{2i\phi_r} + e^{2i\phi_\theta}) \end{bmatrix}. \quad (2)$$

In the setup of Fig. 8(b), the output polarization is represented by

$$\begin{bmatrix} E_x \\ E_y \end{bmatrix} = RGR^{-1}Q1QRGR^{-1} \begin{bmatrix} 1 \\ 0 \end{bmatrix} = -\frac{i}{2} \begin{bmatrix} 8 \sin \theta \cos \theta (e^{i\phi_r} - e^{i\phi_\theta})^2 (\cos^2 \theta e^{i\phi_r} + \sin^2 \theta e^{i\phi_\theta}) \\ -(e^{i\phi_r} + e^{i\phi_\theta})^2 + (e^{i\phi_r} - e^{i\phi_\theta})^2 \cos 4\theta \end{bmatrix}. \quad (3)$$

In the setup of Fig. 8(c), the output polarization is represented by

$$\begin{bmatrix} E_x \\ E_y \end{bmatrix} = FRGR^{-1}RGR^{-1}F \begin{bmatrix} 1 \\ 0 \end{bmatrix} = -\frac{i}{2} \begin{bmatrix} \cos 2\theta (e^{2i\phi_r} - e^{2i\phi_\theta}) \\ -(e^{2i\phi_r} + e^{2i\phi_\theta}) + (e^{2i\phi_r} - e^{2i\phi_\theta}) \sin 2\theta \end{bmatrix}. \quad (4)$$

In the set up of Fig. 8(d), the output polarization is represented by

$$\begin{bmatrix} E_x \\ E_y \end{bmatrix} = RGR^{-1}F1FRGR^{-1} \begin{bmatrix} 1 \\ 0 \end{bmatrix} = -2e^{i(\phi_r + \phi_\theta)} \begin{bmatrix} 0 \\ 1 \end{bmatrix}. \quad (5)$$

Eq. (5) shows that the setup of Fig. 8(d) gives a perfect 90° rotated output and compensates the TIB.

Fig. 8. Four possible optical schemes for rotating the polarization of the backward beam by 90-degree with respect to the input beam (L, lense; QWP, quarter-wave plate; FR, Faraday rotator; AMP, amplifier)

Fig. 9. Experimental results of the depolarization measurement for the four possible optical schemes: (a) leak beam patterns, (b) depolarization ratio versus electrical input energy (Shin et al., 2009)

Fig. 9(a) shows the corresponding leak beam patterns for the four possible optical schemes of Fig. 8. This experimental result shows typical shape for each case. And Fig. 9(b) shows the depolarization ratio versus electrical input energy. The experimental result for the setup of Fig. 8(d) shows that the depolarization ratio is maintained at the low value as the electrical input energy increases, while the results for other setups (Fig. 8(a) - Fig. 8(c)) shows the depolarization ratio rises as the electrical input energy increases (Fig. 9(b)).

5. Waveform preservation of SBS waves via prepulse injection

There are difficulties in a laser system with SBS, particularly when multiple SBS cells are used in series for a high-power laser system. As the pulse is reflected from the SBS cell, the temporal pulse shape is deformed so that the reflected SBS wave has a steep rising edge (Shen, 2003). If SBS cells are used in series, the rising edge of the pulse becomes steeper and can cause an optical breakdown in the optical components. For the SBS-PCM, the steep

rising edge leads to low reflectivity and low fidelity of the phase conjugated wave in the SBS medium (Dane et al., 1992). Thus, a suitable technique is needed to preserve the temporal waveform of the reflected SBS wave (Kong et al., 2005d).

Fig. 10. (a) Proposed system for preserving a temporal SBS pulse shape; (b) experimental setup for this experiment: O, Nd³⁺:YAG laser oscillator; P, linear polarizer; HWPs, half-wave plates; PBSs, polarizing beam splitters; ISO, Faraday isolator; FR, Faraday rotator; QWPs, quarter-wave plates; PC, Pockels cell; Ms, full mirrors; W, wedge; L, convex lens ($f=15$ cm); PDs, photodiodes; SBS cell (FC-75, 30 cm long).

The loss of the front part of the pumping energy to create the acoustic Brillouin grating is one of the main causes of the deformation. As a solution, the prepulse technique can be used to maintain the temporal waveform. In this scheme, the incident wave is divided into two pulses, the prepulse and the main pulse, and the prepulse is sent to the SBS medium before the main pulse with some delay. When the prepulse is injected before the main pulse, the main pulse can be reflected by means of a preexisting acoustic grating and the reflected pulse waveform can be preserved.

The scheme of the proposed setup for the temporal waveform preservation is presented in Fig. 10(a). A single longitudinal mode Nd:YAG laser oscillator is used as a pump source. It has a pulse width of 7~8 ns and a repetition rate of 10 Hz. A Pockels cell (PC) is used to adjust the proper ratio of the prepulse energy and the main pulse energy, and the adjustment is made by adapting the high voltage that is applied to a PC for 10 ns, which is the time it takes for an incoming pulse to pass through the PC. The PC is in the off state when the pulse returns. The incident wave is split into two paths after PBS3, namely path 1 (prepulse) and path 2 (main pulse). The prepulse, which is initially s polarized, is reflected when it reaches PBS2 after the SBS process because the PC is in the off state when the pulse returns. The main pulse, which initially has p polarization, follows a process that is very similar to the process of the prepulse and consequently has the p polarization needed to pass through PBS2. There is another variation that uses no active optics. In Fig. 10(b), HWP2 and the Faraday rotator (45° rotator) are used instead of the PC in Fig. 10(a). HWP2 is used to adjust the ratio of the prepulse energy and the main pulse energy. The measurement is taken on path 2. A wedge plate is inserted to monitor the shape of the reflected main pulse

and the incoming main pulse waveform and the reflected SBS waveform are obtained. The delay is modulated by the movable mirror, and the FC-75 fluid is used as the SBS medium.

Fig. 11. Incident and reflected waveforms with the prepulse injection; (a) $E_{\text{pre}} = 0$ mJ, (b) $E_{\text{pre}} = 2$ mJ, (c) $E_{\text{pre}} = 2.5$ mJ, (d) $E_{\text{pre}} \geq 3$ mJ for values of $T_{\text{delay}} = 8$ ns and $E_{\text{main}} = 10$ mJ.

Let us define E_{main} as the energy of the main pulse, E_{pre} as the energy of the prepulse, and T_{delay} as the delay between the prepulse and the main pulse. Fig. 11 shows the waveform measured for values of $T_{\text{delay}} = 8$ ns and $E_{\text{main}} = 10$ mJ. As E_{pre} increases, the temporal waveforms of the reflected wave become similar to that of the incident wave. When E_{pre} exceeds 3 mJ, the experimental data have very similar aspects as the case of $E_{\text{pre}} = 3$ mJ. This similarity implies that if we set the prepulse energy equal to or larger than 3 mJ with a delay of 8 ns, the main pulse need not consume its own energy to build the acoustic grating.

Fig. 12 shows the minimum prepulse energy required to preserve the waveform of reflected pulse for various T_{delay} (Yoon et al., 2009). For small T_{delay} , the main pulse arrives so early that a part of the main pulse energy can play a role in building the acoustic grating, because the integrated energy of the prepulse is insufficient to generate the grating before the main pulse arrives. Therefore the energy required to preserve the waveform of the main pulse is higher than the moderate T_{delay} . For large T_{delay} , most of the acoustic grating disappears before the main pulse arrives at the SBS interaction region so that more energy is required to preserve the waveform.

A theoretical calculation that describes these experimental results was formulated using a simple model. If the pump pulse is focused in the SBS medium, acoustic phonons are generated and then accumulated in the focal area. Considering the phonon decay, the pump pulse energy transferred to acoustic phonons and accumulated by time t , $E_g(t)$, is given by

$$E_g(t) = \int_0^t P(t') e^{-(t-t')/\tau} dt' \quad (6)$$

where $P(t)$ is the temporal pulse shape and τ is the phonon lifetime. If the pulse width is independent of the pulse energy, the temporal pulse shape can be represented as

$$P(t) = E \cdot W(t) \quad (7)$$

where E is the pulse energy, and $W(t)$ is the normalized waveform.

To instigate the stimulated process, an amount of acoustic phonons over the required threshold is required. The accumulated phonon energy needed for SBS ignition, called the critical energy E_c , can be determined by the maximally accumulated energy with a threshold pump energy E_{thr} as follows:

$$E_c = \int_0^{t_m} E_{thr} W(t') e^{-(t_m - t')/\tau} dt' \quad (8)$$

where t_m is the time when E_c becomes maximum. If the main pulse arrives at the interaction region when $E_g(t)$ accumulated by the prepulse is larger than E_c , perfect waveform preservation is achievable without energy consumption.

$$E_c \leq \int_0^{t_d} E_{pre} W(t') e^{-(t_d - t')/\tau} dt' \quad (9)$$

where t_d is the delay time between the prepulse and the main pulse. For theoretical calculation, 2 mJ threshold energy and 0.9 ns phonon decay time were assumed (Yoshida et al., 1997). Fig. 12 shows experimental results agree with the theoretical predictions qualitatively.

Fig. 12. Minimum prepulse energy required to preserve the waveform of reflected pulse for various T_{delay} ; comparison between the experimental results and the theoretical prediction

6. Coherent beam combined laser system with phase stabilized SBS-PCMs

To achieve a high repetition rate in a high-power laser, many researchers have widely investigated several methods, such as a beam combination technique with SBS-PCMs, a diode-pumped laser system with gas cooling, an electron beam-pumped gas laser, and a large ceramic crystal (Lu et al., 2002; Kong et al., 1997, 2005a, 2005b; Rockwell & Giuliano, 1986; Loree et al., 1987; Moyer et al., 1988). The beam combination technique seems to be one of the most practical of these techniques. The laser beam is first divided into several sub-beams and then recombined after separate amplification. With this technique there is no need for a large gain medium; hence, regardless of the output energy, this type of laser can

operate at a repetition rate exceeding 10 Hz and can be easily adapted to modern laser technology. However, with conventional SBS-PCMs, the SBS waves have random initial phases because they are generated by noises. For this reason, the phase locking of the SBS wave is strongly required for the output of a coherent beam combination.

6.1 Phase control of the SBS wave by means of the self-generated density modulation

There have been several successful works in the history of the phase locking of SBS waves (Rockwell & Giuliano, 1986; Loree et al., 1987; Moyer et al., 1988). Although these works show good phase locking effects, they have some problems in terms of the practical application of a multiple beam combination. In the overlapping method, all the beams are focused on one common point. The energy scaling is therefore limited to avoid an optical breakdown, and the optical alignment is also difficult. In the back-seeding beam method, the phase conjugation is incomplete if the injected Stokes beam is not completely correlated. Kong *et al.* (2005a, 2005b, 2005c) proposed a new phase control technique involving self-generated density modulation. In this method, which is simply called the self-phase control method, a simple optical composition is used with a single concave mirror behind the SBS cell; furthermore, each beam phase can be independently and easily controlled without destruction of the phase conjugation. Thus, the phase control method obviates the need for any structural limitation on the energy scaling.

Fig. 13. Experimental setups of (a) *wavefront division scheme* and (b) *amplitude division scheme* for phase control of the SBS wave by means of the self-generated density modulation: M1,M2&M3, mirrors; W1,W2,W3&W4, wedges; L1&L2, cylindrical lenses; L3,L4,L5&L6, focusing lenses, CM1,CM2,CM3&CM4, concave mirrors; H1&H2, half wave-plates; PBS1&PBS2, polarizing beam splitters.

The wavefront division scheme, which spatially divides the beam, is used to demonstrate the phase control effect with the self-phase control method in the first experiment (Kong et al., 2005a, 2005b, 2005c). The experimental setup is shown schematically in Fig. 13(a). A 1064 nm Nd:YAG laser is used as a pump beam for the SBS generation. The pulse width is 7 ns to 8 ns, and the repetition rate is 10 Hz. The laser beam from the oscillator passes through a 2× cylindrical telescope and is divided into two parts by a prism, which has a high reflection coating for an incident angle of 45°. The two parts of the divided beam pass through separate wedges and are focused into SBS-PCMs. The wedges reflect part of the

backward Stokes beams so that they are overlapped onto a CCD camera. Then, the interference pattern of them is generated. The degree of the fluctuation of the relative phase difference between the SBS waves is quantitatively analyzed by measuring the movement of the peaks in the interference pattern.

For the case of the wavefront division, the divided sub-pump beams get fluctuating energies for every shot due to the beam pointing effect of the laser source, which seems to generate the fluctuation of the relative phase difference between the SBS waves, because the phase of the SBS wave depends on the pump energy. This beam pointing problem can be overcome by using an amplitude division method, whereby the sub-pump beams have almost the same level of energy (Lee et al., 2005). The experimental setup of the amplitude division scheme is shown in Fig. 13(b). In the amplitude division scheme, the laser beam from an oscillator is divided into two sub-beams by a beam splitter (BS).

Fig. 14. Experimental result for the *unlocked case*: (a) schematic; (b) intensity profile of horizontal lines selected from 160 interference patterns; (c) relative phase difference between two beams for 160 laser pulses.

Fig. 14 shows the experimental schematic and experimental results for the unlocked case. Each point in Fig. 14(c) represents one of 160 laser pulses. As expected, δ has random value for every laser pulse. Fig. 14(b) shows the intensity profile of the 160 horizontal lines selected from each interference pattern. The profile also represents the random fluctuation.

Fig 15 shows phase control experimental results in the wavefront division scheme. Fig. 15(a) shows the schematic and the experimental result of the concentric-type self-phase control. A small amount of the pump pulse is reflected by an uncoated concave mirror and then injected into the SBS cell. The standard deviation of the measured relative phase difference is $\sim 0.165\lambda$. Moreover, 88% of the data points are contained within a range of $\pm 0.25\lambda$ ($\pm 90^\circ$). This result demonstrates that the self-generated density modulation can fix the phase of the backward SBS wave. Fig. 15(b) shows the schematic and the experimental result of the confocal-type self-phase control, where the pump beams are backward focused by a concave mirror coated with high reflectivity. The standard deviation of the measured relative phase difference is $\sim 0.135\lambda$. Furthermore, 96% of the data points are contained in a range of $\pm 0.25\lambda$.

Fig. 15. Phase control experimental results in the *wavefront division scheme*, with (a) **concentric-type self-phase control** ((left-up) schematic, (left-down) intensity profile of horizontal lines from interference pattern, (right) relative phase difference between two beams for 203 laser pulses) and (b) **confocal-type self-phase control** ((left-up) schematic, (left-down) intensity profile of horizontal lines from interference pattern, (right) relative phase difference between two beams for 238 laser pulses).

Fig. 16 shows phase control experimental results in the amplitude division scheme. Fig. 16(a) shows the schematic and the experimental result of the concentric-type self-phase control. The standard deviation of the measured relative phase difference is $\sim 0.0366\lambda$. And Fig. 16(b) shows the schematic and the experimental result of the confocal-type self-phase control. The standard deviation of the measured relative phase difference is $\sim 0.0275\lambda$. By employing the amplitude division scheme, the relative phase difference is remarkably stabilized compared with the wavefront dividing scheme.

Fig. 16. Phase control experimental result in the *amplitude division scheme*, with (a) **concentric-type self-phase control** ((left-up) schematic, (left-down) intensity profile of horizontal lines from interference pattern, (right) relative phase difference between two beams for 256 laser pulses) and (b) **confocal-type self-phase control** ((left-up) schematic, (left-down) intensity profile of horizontal lines from interference pattern, (right) relative phase difference between two beams for 220 laser pulses).

6.2 Theoretical modeling on the phase control of SBS waves

In the previous section, the experimental results demonstrate the effect of the self-phase control method. On the basis of the phase control experiments, we present in this section the theoretical model suggested by Kong et al. to explain the principle of the self-phase control (Ostermeyer et al., 2008). Given that the pump wave propagates towards the positive z direction in the SBS medium, the pump wave, E_p , and the Stokes wave, E_s , can be expressed as

$$E_p = A \sin(\omega_p t - k_p z + \phi_p) \quad (10)$$

and

$$E_s = B \sin(\omega_s t + k_s z + \phi_s), \quad (11)$$

where A and B are the amplitudes of E_p and E_s ; ω , k and ϕ are the angular frequency, the wave number and the initial phase, respectively; and P and S are the pump wave and the Stokes wave, respectively. The density modulation of the SBS medium is proportional to the total electrical field. The density modulation, ρ , can therefore be represented as

$$\begin{aligned} \rho \propto |E_p + E_s|^2 &= A^2 \sin^2(\omega_p t - k_p z + \phi_p) + B^2 \sin^2(\omega_s t + k_s z + \phi_s) \\ &\quad - AB \cos[(\omega_p + \omega_s)t - (k_p - k_s)z + (\phi_p + \phi_s)] \\ &\quad + AB \cos[(\omega_p - \omega_s)t - (k_p + k_s)z + (\phi_p - \phi_s)]. \end{aligned} \quad (12)$$

Only the final term of Eq. (12) can contribute to the acoustic wave because the first two terms are DC components and the third term denotes the fast oscillating components. The acoustic wave can be also expressed as

$$\rho = \rho_0 \cos(\Omega t + k_a z + \phi_a), \quad (13)$$

where ρ_0 is the mean value of the medium density and Ω , k_a , and ϕ_a are the frequency, the wave number, and the initial phase of the acoustic wave, respectively. From Eqs. (12) and (13), the relations of $\Omega = \omega_p - \omega_s$, $k_a = k_p + k_s$ and $\phi_a = \phi_p - \phi_s$ can be obtained. If ϕ_a and ϕ_p are known values, ϕ_s can be definitely determined in accordance with the phase relation. If the acoustic wave is assumed to be initially generated at time t_0 and position z_0 , the acoustic wave can be rewritten as

$$\begin{aligned} \rho &= \rho_0 \cos[\Omega(t - t_0) - k_a(z - z_0)] \\ &= \rho_0 \cos[\Omega t - k_a z - \Omega t_0 + k_a z_0]. \end{aligned} \quad (14)$$

The phase of the acoustic wave is then given by

$$\phi_a = -\Omega t_0 + k_a z_0. \quad (15)$$

In conventional SBS generation, t_0 and z_0 have random values as the SBS wave is generated from a thermal acoustic noise. However, t_0 and z_0 can be locked effectively by the proposed self-phase control method.

Fig. 17. Concept of phase control of the SBS wave by the self-generated density modulation. PM is a partial reflectance concave mirror whose reflectivity is r . E_p and E_s denote the pump wave and the SBS wave, respectively.

Fig. 17 describes the concept of the self-phase control method. The weak periodic density modulation is generated at the focal point due to the electrostriction by an electromagnetic standing wave that arises from the interference between the main beam, E_p , and the low intensity counter-propagating beam, rE_p . In the suggested theoretical model, the weak density modulation from the standing wave is assumed to act as an imprint for the ignition of the Brillouin grating. Hence, the initial position, z_0 , is no longer random but fixed to one of the nodal points of the density modulation. However, there are many candidates of the nodal points in the Rayleigh range because the Rayleigh length, l_R , is much larger than the period of the stationary density modulation, $\lambda_p/2$, where λ_p is the wavelength of the pump wave. The phase differences between the acoustic waves generated at different nodal points have the values of $\Delta\phi_a = k_a(\lambda_p/2)N \equiv 2\pi N$ (N : integer) for the relation of $k_a \equiv 2k_p = 4\pi/\lambda_p$. Thus, the phase uncertainty of $2\pi N$ does not affect the phase accuracy.

The initial time, t_0 , when the acoustic wave is determined should be known. In the research on the preservation of the SBS waveform (Kong et al., 2005d), the front part of the pump energy is consumed to create the acoustic Brillouin grating of the SBS process. This consumed energy is regarded as the SBS threshold energy. The critical time, t_c , when the SBS is initiated can then be determined by the following equation:

$$E_{th} = \int_0^{t_c} P(t)dt, \quad (16)$$

where E_{th} is the SBS threshold energy of the SBS medium and $P(t)$ is the pump power. It is assumed that t_0 is equal to t_c because the SBS waves and the corresponding acoustic wave are generated simultaneously. Eq. (16) suggests that the initial ignition time, t_0 , of the acoustic wave changes if the total energy of the pump pulse given by $E_0 = \int_0^\infty P(t)dt$ changes under a constant pulse width. In this model, the critical time, t_c , varies with the total energy, E_0 . Thus, the change that occurs in the initial phase, $\Delta\phi_0$, as a result of the energy fluctuation, ΔE_0 , can be represented as

$$\Delta\phi_0 = \Omega\Delta t_c = \Omega \frac{\Delta t_c}{\Delta E_0} \frac{\Delta E_0}{E_0} E_0 \quad (17)$$

if we assume that z_0 is fixed; $\Delta\phi_0$ can be calculated numerically for FC-75, which has an acoustic wave frequency of 1.34 GHz; and the SBS threshold is about 2 mJ for a 10 ns pulse. Let's assume that the pump pulse, $P(t)$, is given by

$$P(t) = \frac{4E_0}{a^3\sqrt{\pi}} t^2 \exp[-(t/a)^2] \quad (a = 8.66 \text{ ns}). \quad (18)$$

Fig. 18 shows the calculated critical time, t_c , as a function of the pump energy, which ranges from the SBS threshold of FC-75 (2 mJ) to 100 mJ.

When two beams are combined by the SBS-PCM, energy fluctuations of the each input beam give the shot-to-shot change on the critical time difference. Fig. 19 shows the calculated results and the experimental results of the phase fluctuation. Using the measured energy fluctuation of the each input beam, the phase fluctuation of Fig. 19(a) is simulated. The experimental investigation is conducted for the cases of $E_i = 10 \text{ mJ}$, 30 mJ , 50 mJ , and 70 mJ

with several E_2 values. In both graphs, the standard deviation of the relative phase fluctuation is shown. The shapes of the graphs are similar but the vertical scales are different.

Fig. 18. Critical time t_c as a function of the pump energy ($E_{th}=2\text{mJ}$).

Fig. 19. (a) Calculated results of the relative phase difference for the cases of $E_1 = 10\text{ mJ}$, 30 mJ , 50 mJ , and 70 mJ with $E_2 = 2\text{ mJ}$ to 100 mJ ; the critical time is calculated directly from the energy measurements. (b) Experimental results of the relative phase difference for the cases of $E_1 = 10\text{ mJ}$, 30 mJ , 50 mJ , and 70 mJ with several E_2 values.

6.3 Long-term phase stabilization of SBS wave

The self-phase control method ensures the SBS wave is well stabilized for several hundred shots. However, a thermally induced long-term phase fluctuation occurs when the number of laser shots increases (Kong et al., 2006, 2008). This slowly varying phase fluctuation can be easily compensated through the active control of PZTs attached to one concave mirror of the SBS-PCM. Figs. 20 and 21 show the phase control experimental results for the cases with PZT control and without PZT control, respectively, in a two-beam combination system. The phase difference and the output energy are measured during 2500 laser shots (250 s) for a pump energy level of $E_{p1,2} \approx 50\text{ mJ}$. The case without PZT control showed long-term phase and output energy fluctuations. In the case with the PZT control, the phase difference between the SBS beams is well stabilized with a fluctuation of $0.0214\lambda (= \lambda/46.8)$ by standard deviation; furthermore, the output energy is stabilized with a fluctuation of 4.66%.

Fig. 20. Experimental results of (a) the output energy and (b) the phase difference between two SBS beams without PZT control during 2500 laser shots (250 s) for the case of $E_{p1,2} \approx 50$ mJ pump energy.

Fig. 21. Experimental results of (a) the output energy and (b) the phase difference between two SBS beams with PZT control during 2500 laser shots (250 s) for the case of $E_{p1,2} \approx 50$ mJ pump energy.

6.4 Coherent beam combined laser system for high energy, high power, high beam quality, and high repetition rate output

Figs. 22(a) and 22(b) show the conceptual schemes of the coherent beam combination laser system for high energy, high power, high beam quality, and a high repetition rate (Kong et al., 1997, 2005a, 2005b). Fig. 22(a) shows the wavefront division scheme, and Fig. 22(b) shows the amplitude division scheme. In this beam combination laser system, the main beam is divided into many sub-beams for separate amplification; the beam is divided either by prisms in the wavefront division scheme or by polarizing beam splitters in the amplitude division scheme. Both schemes include a series of cross-type amplifier stages. Each cross-type amplifier has SBS-PCMs on both sides and is insensitive to the misalignments of the optical components because the reflected phase conjugate waves return to exactly the same path as the incident beam. As a result, the cross-type beam combination system is highly beneficial in terms of alignment, maintenance, and repair. The SBS-PCMs on the right-hand side of each cross-type amplifier stage perform as optical isolators. On the left-hand side of each cross-type amplifier stage, the array amplifier can increase the beam's energy with double pass optical amplification when it is divided by some of the sub-beams. For the reflectors in the array amplifier, we used SBS-PCMs instead of conventional mirrors. The SBS-PCMs can compensate for the thermally induced wavefront distortions, and self-focusing can occur in the active media with the generation of phase conjugate beams. A diffraction-limited high quality beam can therefore be obtained at the output stage. The divided sub-beams are recombined again after the double-pass amplification and become the input beam of the next amplifier stage. By using many amplifier stages of beam combination, we can obtain a high-energy laser output for the fusion. In the array amplifier, Faraday rotators are located on the amplification beam lines to compensate for the thermally induced birefringence, and phase-controlled SBS-PCMs are used with the self phase control method for coherent output.

Fig. 22. Conceptual schemes of scalable beam combined laser system for a laser fusion driver: (a) wavefront division scheme (b) amplitude division scheme (QWP, quarter wave plate; SBS-PCM, stimulated Brillouin scattering phase conjugate mirror, FR, Faraday rotator; AMP, optical amplifier)

7. Conclusion

In this chapter, a high-energy, high-power amplifier system using SBS-PCMs is introduced. The system, which is constructed systematically with a cross-type amplifier and SBS-PCMs as a basic unit, has many advantages: for example, it has freely scalable energy and a perfectly isolated leak beam; it also compensates for the thermally induced optical distortion and it has misalignment insensitiveness. For the coherent output of the combined beam, a new phase control method of the SBS wave with self-density modulation has been developed. The principle of this phase control method in the experiments for the wavefront and amplitude division schemes has been also explained and successfully demonstrated, as well as in theoretical modeling, and in the active control of the long-term phase fluctuation. In conclusion, the proposed beam combination laser system with SBS-PCMs, which is based on the cross-type amplifier, contributes to the realization of the a high energy, high power laser that can operate with a repetition rate higher than 10 Hz, even for a huge output energy in excess of several MJ.

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Lasers and electro-optics is a field of research leading to constant breakthroughs. Indeed, tremendous advances have occurred in optical components and systems since the invention of laser in the late 50s, with applications in almost every imaginable field of science including control, astronomy, medicine, communications, measurements, etc. If we focus on lasers, for example, we find applications in quite different areas. We find lasers, for instance, in industry, emitting power level of several tens of kilowatts for welding and cutting; in medical applications, emitting power levels from few milliwatt to tens of Watt for various types of surgeries; and in optical fibre telecommunication systems, emitting power levels of the order of one milliwatt. This book is divided in four sections. The book presents several physical effects and properties of materials used in lasers and electro-optics in the first chapter and, in the three remaining chapters, applications of lasers and electro-optics in three different areas are presented.

How to reference

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