Robust Active Suspension Control for Vibration Reduction of Passenger's Body

Takuma Suzuki and Masaki Takahashi

Keio University

Japan

1. Introduction

An automotive performance has improved from the demand of ride comfort and driving stability. Many research have proposed various control system design methods for active and semi-active suspension systems. These studies evaluated the amount of reduced vibration in the vehicle body, i.e., the vertical acceleration in the center-of-gravity (CoG) of the vehicle's body (Ikeda *et al.*, 1999; Kosemura *et al.*, 2008; Itagaki *et al.*, 2008). However, any passengers always do not sit in the CoG of the vehicle body. In the seated position that is not the CoG of the vehicle body, vertical acceleration is caused by vertical, roll and pitch motion of the vehicle. In nearly the resonance frequency of the seated human, the passenger's vibration becomes larger than the seated position's vibration of the vehicle body due to the seated human dynamics.

The seated human dynamics and human sensibility of vibration are cleared by many researchers. So far some human dynamics model has been proposed (Tamaoki *et al.*, 1996, 1998, 2002; Koizumi *et al.*, 2000). Moreover, some of them are standardized in ISO (ISO-2631-1, 1997; ISO-5982, 2001). At the research as for automotive comfort with the passenger-vehicle system, M.Oya *et al.* proposed the suspension control method considering the passenger seated position in the half vehicle model (Oya *et al.*, 2008). G.J. Stein *et al.* evaluated passenger's head acceleration at some vehicle velocities and some road profiles (Guglielmino *et al.*, 2008). There are few active suspension control design methods which are positively based on a passenger's dynamics and the seating position. These methods can be expected to improve the control performance.

In this paper, new active suspension control method is developed to reduce the passenger's vibration. Firstly, a vehicle and passenger model including those dynamics at seated position is constructed. Next, a generalized plant that uses the vertical acceleration of the passenger's head as one of the controlled output is constructed to design the linear H_∞ controller. In this paper, this proposed method defines as "Passenger Control". "Passenger Control" means passenger's vibration control. Moreover, in an active suspension control, it is very important to reduce the vibration at the condition of the limited actuating force. Then, we design two methods which are "Vehicle CoG Control", and "Seat Position Control", and compare the proposed method with two methods. "Vehicle CoG Control" means vibration control of vehicle. "Seat Position Control" means vibration control of seat position. Finally, several simulations are carried out by using a full vehicle model which has active suspension system. From the result, it was confirmed that in nearly the resonance

frequency of a passenger's head in the vertical direction, "Passenger Control" is effective in reducing a passenger's vibration better than "Vehicle CoG Control" and "Seat Position Control". The numerical simulation results show that the proposed method has the highest control performance which is vibration reduction of the passenger's head per generated force by the active suspension. Moreover, the results show that the proposed method has robustness for the difference in passenger's vibration characteristic.

2. Modeling

2.1 Modeling of the vehicle

Figure 1 shows a full vehicle model which is equipped with an active suspension between each wheel and the vehicle body. The weight of the vehicle body is supported by the spring. We assume that a vehicle model is a generic sedan car as shown in Table 1. The equations of motion which are, bounce, roll, pitch and each unsprung motion are as follows:

$$M_b \ddot{z}_{cg} = \sum_{i=1}^4 f_{si}, \quad (1)$$

$$I_r \ddot{\phi} = \frac{T_f}{2} (f_{s1} - f_{s2}) + \frac{T_r}{2} (f_{s3} - f_{s4}) + M_b g H_r \phi, \quad (2)$$

$$I_p \ddot{\theta} = -L_f (f_{s1} + f_{s2}) + L_r (f_{s3} + f_{s4}) + M_b g H_p \theta, \quad (3)$$

$$M_{ti} \ddot{z}_{ui} = -F_{di} + K_i z_{ti} \quad (i = 1, \dots, 4). \quad (4)$$

where H_r is the distance from a roll center to the CoG of the vehicle body, and H_p is the distance from a pitch center to the CoG of the vehicle body. These parameters are constant. The spring coefficients of each wheel are different from each other, and were set to $K_{1,2} = K_f$, $K_{3,4} = K_r$, z_{si} means a suspension stroke of each wheel, z_{ti} means deformation of the each tire.

$$\begin{aligned} z_{s1} &= z_{cg} + T_f / 2 \phi - L_f \theta - z_{u1} \\ z_{s2} &= z_{cg} - T_f / 2 \phi - L_f \theta - z_{u2} \\ z_{s3} &= z_{cg} + T_r / 2 \phi + L_r \theta - z_{u3} \\ z_{s4} &= z_{cg} - T_r / 2 \phi + L_r \theta - z_{u4} \\ z_{ti} &= z_{ri} - z_{ui} \quad (i = 1, \dots, 4) \end{aligned} \quad (5)$$

The spring and damping forces which act between the wheels and the vehicle body, are given by the following equation.

$$F_{di} = -K_i z_{si} - C_i(t) \dot{z}_{si} \quad (i = 1, \dots, 4) \quad (6)$$

2.2 Modeling of the passenger

Various models of a seated human have been proposed so far. In this paper, the passenger's motion is expressed to the seated human model shown in Fig. 2. Therefore, it is easy to understand the passenger's motion. To the seated position, P_s , the body part has three

Fig. 1. Full vehicle model

Symbol	Value	Symbol	Value
M_b	1900 kg	T_f	1.53 m
M_t	50 kg	T_r	1.50 m
I_r	600 kgm ²	H_r	0.45 m
I_p	3000 kgm ²	H_p	0.53 m
K_f	33×10^3 N/m	$p_{x1,2}$	0.04 m
K_r	31×10^3 N/m	p_{y1}	0.4 m
K_t	260×10^3 N/m	p_{y2}	-0.4 m
L_f	1.34 m	$p_{z1,2}$	-0.045 m
L_r	1.46 m		

Table 1. Specification of vehicle mode

degree of freedom (DOF) which is longitudinal, lateral, and vertical motions. The head has 3 DOF. First, the head moves up and down to the body parts. Second, the head rotates around the point, P_p , at the pitch direction. Third, the head rotates around the point, P_r , at the roll direction. Thus the passenger model has a total of 6 DOF. Between the each part, it has a spring and a damper. The equation of motion of the passenger model is as follows.

Fig. 2. Passenger model

i	k_{pi} [N/m]	c_{pi} [N/m/s]	r_{pi} [m]
1	40000	2000	0.1
2	15*	0.9**	0.1
3	96000	1120	0.05
4	22500	600	0.2
5	2000	400	0.3
6	20*	1.2**	0.3

Table 2. Specification of passenger model (*:Nm/rad, **:Nm/rad/s)

$$m_{bh}\ddot{x}_b = 2k_{p4}(x_p - x_b) + 2c_{p4}(\dot{x}_p - \dot{x}_b) + (-c_{p2}\dot{\theta}_h - k_{p2}\theta_h)/r_4 \quad (7)$$

$$m_{bh}\ddot{y}_b = 2k_{p5}(y_p - y_b) + 2c_{p5}(\dot{y}_p - \dot{y}_b) - (-c_{p6}\dot{\phi}_h - k_{p6}\phi_h)/r_5 \quad (8)$$

$$m_b\ddot{z}_b = k_{p3}(z_p - z_b) + c_{p3}(\dot{z}_p - \dot{z}_b) - [k_{p1}(z_b - z_h) + c_{p1}(\dot{z}_b - \dot{z}_h)] + (-c_{p2}\dot{\theta}_h - k_{p2}\theta_h)/r_3 \quad (9)$$

$$m_h\ddot{z}_h = k_{p1}(z_b - z_h) + c_{p1}(\dot{z}_b - \dot{z}_h) - (-c_{p2}\dot{\theta}_h - k_{p2}\theta_h)/r_3 \quad (10)$$

$$I_{hr}\ddot{\phi}_h = -c_{p6}\dot{\phi}_h - k_{p6}\phi_h + m_{hbh}r_1 \left[2k_{p5}(y_p - y_b) + 2c_{p5}(\dot{y}_p - \dot{y}_b) - (-c_{p6}\dot{\phi}_h - k_{p6}\phi_h)/r_5 \right] \quad (11)$$

$$I_{hp}\ddot{\theta}_h = -c_{p2}\dot{\theta}_h - k_{p2}\theta_h + \left[k_{p1}(z_b - z_h) + c_{p1}(\dot{z}_b - \dot{z}_h) \right] r_3 - m_{hbh}r_2 \left[2k_{p4}(x_p - x_b) + 2c_{p4}(\dot{x}_p - \dot{x}_b) + (-c_{p2}\dot{\theta}_h - k_{p2}\theta_h)/r_4 \right] \quad (12)$$

Where,

$$m_{bh} = m_b + m_h, \quad m_{hbh} = \frac{m_b}{m_b + m_h}.$$

Each parameter of the passenger model is set to $m_b = 45$ kg, $m_h = 7.5$ kg, $I_{hr} = 8.3 \times 10^{-2}$ kgm², $I_{hp} = 5.0$ kgm², and $I_{hp} = 5.5 \times 10^{-2}$ kgm² based on the adult male's height and weight data. In addition, the acceleration of the passenger's head is derived from a geometric relation.

$$\begin{aligned} \ddot{x}_h &= \ddot{x}_b + \ddot{\theta}_h/r_2 \\ \ddot{y}_h &= \ddot{y}_b + \ddot{\phi}_h/r_1 \end{aligned} \quad (13)$$

As shown in Table 2, the spring, the damper, and length were adjusted to conform the passenger model and an experimental data which was reported in previous research shown in Figs. 3 and 4 (Tamaoki *et al.*, 1996, 1998). The results shown in Figs. 3(c) and 4(c) demonstrate that the gain characteristics of the model were nearly equal to the experimental ones. However, as shown in Figs. 3(b) and 4(b), there were some differences in the high-frequency band for the phase properties. To reduce these differences, the passenger model must be made more complex, but this necessitates the use of a higher order control system. Because the purpose of our controller is to reduce the vertical vibration of the passengers in comparison with the lateral vibration, we designed it using this passenger model.

2.3 Vehicle-passenger model

In this section, the passenger for the vehicle model was assumed to sit in the front-left seat in designing the control system to reduce passenger vibration and motion. The vehicle-passenger model is shown in Fig. 5. The passenger model is set to the vehicle model in a front-left seat to design the controller. The translational motion of the position of the seat and the motion of the vehicle have the following relation;

$$\begin{aligned} x_{p1} &= (H_p + p_{1z})\theta \\ y_{p1} &= -(H_r + p_{1z})\phi \\ z_{p1} &= z_{cg} + p_{1y}\phi - p_{1x}\theta \end{aligned} \quad (14)$$

The equation of state of the vehicle-passenger model is defined as the following equation.

$$\dot{x}(t) = A_p x(t) + B_{p1} w(t) + B_{p2} u(t) \quad (15)$$

Fig. 3. Transfer function from seat to the head (Translational motion, Dot: Experiment (Tamaoki *et al.*, 1998), Line: model)

Fig. 4. Transfer function from seat to the head (Rotational motion, Dot: Experiment (Tamaoki *et al.*, 1996), Line: Model)

Fig. 5. Vehicle-passenger model

Where,

$$x(t) = \begin{bmatrix} z_{u1} & z_{u2} & z_{u3} & z_{u4} & z_{cg} & \phi & \theta & \dot{z}_{u1} & \dot{z}_{u2} & \dot{z}_{u3} & \dot{z}_{u4} & \dot{z}_{cg} & \dot{\phi} & \dot{\theta} & x_{b1} & y_{b1} & z_{b1} & \phi_{h1} & \theta_{h1} & \dot{x}_{b1} & \dot{y}_{b1} & \dot{z}_{b1} & \dot{\phi}_{h1} & \dot{\theta}_{h1} \end{bmatrix}^T$$

$$w(t) = \begin{bmatrix} z_{r1} & z_{r2} & z_{r3} & z_{r4} \end{bmatrix}^T$$

$$u(t) = \begin{bmatrix} F_1 & F_2 & F_3 & F_4 \end{bmatrix}^T$$

3. Design of controller

3.1 Disturbance accommodating control

We found that feedforward control of disturbance information in the finite frequency range and feedback control improve performance (Okamoto *et al.*, 2000). The power spectral density of the actual velocity of disturbances had flat characteristics in a low frequency, and decreased according to frequency at a region of high frequency. We assumed that it regarded as the colored noise formed by shaping filter which has a transfer function with low-pass characteristics. This filter of the each wheel is based on the road condition which defined by ISO (ISO-8608, 1995). The filter is as follows:

$$Q_{di} \begin{cases} \dot{x}_{di}(t) = A_{di}x_{di}(t) + B_{di}w_{gi}(t) \\ w_i(t) = C_{di}x_{di}(t) \end{cases} \quad (i = 1, \dots, 4)$$

$$\frac{w_i(s)}{w_{gi}(s)} = \frac{\varpi_d^2}{s^2 + 2\xi_d\varpi_d s + \varpi_d^2} \quad (i = 1, \dots, 4)$$

where, w_{gi} is road input of the each wheel, w_i is road input of the vehicle-passenger model of the generalized plant to design the controller as shown in Fig. 6. It was referred to as $\varpi_d = 50 \times 2\pi$ and $\xi_d = 0.706$.

3.2 Disturbance accommodating H_∞ control.

The feedforward control of disturbances resulted in worse accuracy outside the assumed frequency (Okamoto *et al.*, 2000). Furthermore, because each resonance frequency of the vehicles, passenger, and tire differs, the control system design considering each resonance frequency is needed. Therefore, the control system was designed by using the H_∞ method in the control theory.

We integrated each state variable of the road disturbance model and frequency weights for controlled values. The frequency weights are as follows:

$$Q_{wi} \begin{cases} \dot{x}_{wi}(t) = A_{wi}x_{wi}(t) + B_{wi}z_{pi}(t) \\ z_{gi}(t) = C_{wi}x_{wi}(t) \end{cases} \quad (i = 1, \dots, 4) \quad (17)$$

$$\frac{z_{gi}(s)}{z_{pi}(s)} = K_{wi}W_i(s) \quad (i = 1, \dots, 4)$$

where, z_{pi} is controlled value of the vehicle-passenger model, z_{gi} is controlled value of the generalized plant. Figure 6 shows a block diagram of the generalized plant to design the controller, and the state-space form of the generalized plant is as follows:

$$\begin{aligned} \dot{x}_g(t) &= A_g x_g(t) + B_{g1} w_g(t) + B_{g2} u(t) \\ z_g(t) &= C_{g1} x_g(t) + D_{g12} u(t) \\ y_g(t) &= C_{g2} x_g(t) + D_{g21} w_g(t) \end{aligned} \quad (18)$$

H_∞ norm of the transfer function from disturbance $w_g(t)$ to controlled value $z(t)$ is expressed by the following equation.

$$\|G_{z_g w_g}\|_\infty = \sup_w \frac{\|z_g\|_2}{\|w_g\|_2} \quad (19)$$

$$\min_u \|G_{z_g w_g}\|_\infty =: \gamma^* \quad (20)$$

where, γ^* is a minimum of H_∞ norm of the generalized plant realized with H_∞ controller. The controller is the following equation (Glover & Doyle, 1988).

$$\begin{aligned} \dot{x}_k(t) &= A_k x_k(t) + B_k y(t) \\ u(t) &= C_k x_k(t) \end{aligned} \quad (21)$$

The measured outputs, $y(t)$, are four vertical accelerations of the wheel position of the vehicle body. The controlled values, $z(t)$, are vertical acceleration of the passenger's head, vertical velocity of the sprung, tire deformation, and actuating force. Frequency weight W_i , shown in Fig. 7 was determined by trial and error.

A bandpass filter, W_1 , that had a peak frequency equal to the resonance frequency of the passenger's head was used based on sensitivity curves (ISO-2631-1, 1997), such as that being standardized by ISO and shown in Fig. 8. In order to prevent the increase of response in each resonance, a low pass filter W_2 and a bandpass filter W_3 are used. Moreover, to prevent steady control input and minimize energy consumption, a high pass filter, W_4 , was used.

We compare the proposal method and two generalized control methods to verify the control performance. As one of the generalized control methods, the controller in which the one of the controlled values is vertical acceleration of the body CoG (Vehicle CoG Control), is designed. Another is that one of the controlled values is vertical acceleration of a seated position (Seat Position Control). The design of two generalized control methods are changed the controlled value z_1 into the vertical acceleration of CoG of the vehicle body and seated position, respectively. Frequency weights, $W_1(s)$, $W_2(s)$, $W_3(s)$, $W_4(s)$, $K_{w2} = 400$, $K_{w3} = 5000$, and $K_{w4} = 1.31$, use the same value also in the three methods. The following section describes K_{w1} .

Fig. 6. Generalized plant for "Passenger Control"

Fig. 7. Frequency weights for controlled value

Fig. 8. Sensitivity curve of vertical vibration (ISO-2631-1, 1997)

4. Simulation

In this section, two kinds of numerical simulations were carried out. One is to verify control performance in comparison with other methods. Another is to verify robustness for the difference in passenger's vibration characteristic.

4.1 Assumption

We verified the effectiveness of the proposed method by using the vehicle-passenger model with H_∞ controller. We used MATLAB (The Math Work Inc.) for the calculations, and the Runge-Kutta method for the differential equations. The computational step size is 1 ms. In addition, it assumes that we perform the evaluation in an ideal condition, and the model to design the controller and the model for evaluation are same models.

4.2 Driving condition

It assumes that the PSD characteristic of the road surface is C class defined by ISO (ISO-8608, 1995). The vehicle speed is 16.6 m/s (60 km/h). The vehicle runs the straight for 10 seconds, and the input of the road surface to each wheel is independent. Figure 9 shows the PSD of the road disturbance. Figure 10 shows the road displacement.

4.3 Design of the frequency weight K_{w1}

In each method, if the evaluation function of acceleration is raised, it is clear that each acceleration set as the controlled value is reduced, and the actuating force increases. To set the same actuating force, frequency weight K_{w1} of each method was adjusted so that RMS value of the actuating force of the four wheels sets to 1000 N. The each frequency weight, K_{w1} , of "Vehicle CoG Control", "Seat Position Control" and "Passenger Control" is 244, 315, and 78 respectively.

4.4 Difference of vehicle-passenger model

In the numerical simulation, there are some diffidence in the vehicle-passenger model as shown in Table 3. In sections 4.5.1 and 4.5.2, passenger models sit in the front-left seat and

front-right seat. In section 4.5.2, some specifications of the passenger model are different from the generalized plant to design controller.

4.5 Results

4.5.1 Comparison with the “Vehicle CoG Control” and “Seat Position Control”

Figure 11 shows the time histories of the vehicle and the passenger 1's vertical acceleration for 3 second. In this paper, passenger 1 sits a front-left seat, and passenger 2 sits a front-right. In the acceleration of the vehicle body, it was confirmed that there is few differences among the three methods. On the other hand, in the acceleration of the passenger's head, the proposed method is the smallest, and it was confirmed that the proposed method is effective for the passenger's vibration reduction.

The actuating force of each wheel in each method is shown in Fig. 12. In the Vehicle CoG Control, the actuating force of all wheels is generated in the same direction. In the other method, the actuating force of the left/right wheel is generated in a different direction. Therefore, the vertical accelerations of the seated position and the passenger's head are reduced by controlling the roll motion of the vehicle body.

Figure 13 shows the Lissajous figure of lateral and vertical accelerations of the seated position, the passenger's body and the head part respectively. This figure is seen from the front of vehicle. In upper-right figure of Fig. 13 (c), the proposed method has control effect which vertical acceleration of the passenger 1's head is reduced in comparison with “Vehicle CoG Control”. Moreover, the proposed method has not only the vibration reduction effect of the passenger 1's head, but also the vertical acceleration reduction effect of the passenger 1's body.

Fig. 9. PSD of road surface profile

Figure 14 shows power spectrum density (PSD) of the vertical acceleration of the passenger's head in each method, and actuating force. In the frequency band of 4-7 Hz with resonance of a passenger's head, although the proposed method has the vibration reduction effect better than other methods. On the other hand, PSD of the actuating force does not necessarily have the highest value in the frequency band. In this frequency band, the proposed method can reduce the passenger's vibration by the limited actuating force.

Fig. 10. Road displacement

	Generalized plant to design controller	Simulation model	
		Section 4.5.1	Section 4.5.2
Vehicle	Fig. 1, Table 1	←	←
Passenger	Fig. 2, Table 2	←	Table 4
Seated position	•Front-left	•Front-left •Front-right	←

Table 3. Vehicle-passenger model

In each frequency band, the sensitivity of the vertical acceleration for the human is defined by sensitivity curves (ISO-2631, 1997). In this paper, we estimate the root mean square (RMS) value which is added the sensitivity compensation expressed by a high order transfer function (Rimel & Mansfield, 2007). Figure 15 shows the ratio of the RMS value of each vertical acceleration to those values of "Vehicle CoG Control". In the passenger 1, it was confirmed that the proposed method can reduce the RMS value of the passenger 1's head (head 1). Moreover, in the passenger 2, it was confirmed that the RMS value of the passenger 2's head (head 2) is not increased by the proposed method, and the proposed method had the vibration reduction effect equivalent to the generalized control methods.

Fig. 11. Vehicle and passenger's behavior (Vertical acceleration, unit : m/s^2)

Fig. 12. Actuating force

Fig. 13. Lissajous figure (Lateral and vertical acceleration)

(a) Vertical acceleration (Center of gravity of vehicle)

(b) Vertical acceleration (Passenger1's head)

(c) Actuator force

Fig. 14. Power spectral density

Fig. 15. RMS value of vertical acceleration

From these results, it was confirmed that the proposed method can effectively reduce passenger's vibration by using H_∞ control which including the dynamics of human body and seated position. By means of setting the passenger's motion to one of the amounts of evaluation function, the proposed method can directly control the passenger's vibration.

4.5.2 Comparison with the different passenger model

In this section, the robust performance against the difference in a passenger's vibration characteristic is verified. In previous research, there are many reports about seated human

Fig. 16. Frequency response from seat to the head (Vertical motion, dot : Experiment (Varterasian & Thompson, 1977), Line : Model)

dynamics. Varterasian & Thompson reported the seated human dynamics from a large person to a small person (Varterasian & Thompson, 1977). Robust performance is verified by supposition that such person sits in the vehicle. Figure 16 shows the frequency response from vertical vibration of seat to vertical vibration of the head. Dot is 15 subjects' resonance peak. In this section, three outstanding subjects' data of their report is modeled in the vibration characteristic of vertical direction. The damper and spring were adjusted to conform the passenger model and an experimental data. The characteristic of the passenger model of three outstanding subjects are shown in Table 4.

	k_{p3} [N/m]	c_{p3} [N/m/s]
Nominal model	960000	1120
Subject 1	1320000	1150
Subject 2	576000	960
Subject 3	960000	2550

Table 4. Difference of specifications

Fig. 17. PSD of vertical acceleration (Passenger 1's head)

The numerical simulation is carried out on the same road surface conditions as the section 4.5.1. Figure 17 shows PSD of the vertical acceleration of the passenger 1's head and Fig. 18

shows RMS value. In PSD of 7 Hz or more, RMS value of vertical acceleration of subject 1's head becomes higher than the nominal model. Moreover, RMS of subject 1 is the highest. On the other hand, RMS of subjects 2 and 3 is reduced in comparison with the nominal model. The physique of subject 1 differs from other subjects. When such a person sits, the specified controller should be designed. From these results, the proposed method has robustness for the passenger of the general physique.

Fig. 18. RMS value of vertical acceleration of passenger 1's head

5. Conclusion

This study aims at establishing a control design method for the active suspension system in order to reduce the passenger's vibration. In the proposed method, a generalized plant that uses the vertical acceleration of the passenger's head as one of the controlled output is constructed to design the linear H_∞ controller. In the simulation results, when the actuating force is limited, we confirmed that the proposed method can reduce the passenger's vibration better than two methods which are not include passenger's dynamics. Moreover, the proposed method has robustness for the difference in passenger's vibration characteristic.

6. Acknowledgment

This work was supported in part by Grant in Aid for the Global Center of Excellence Program for "Center for Education and Research of Symbiotic, Safe and Secure System Design" from the Ministry of Education, Culture, Sport, and Technology in Japan.

7. References

Ikeda, S.; Murata, M.; Oosako, S. & Tomida, K. (1999). Developing of New Damping Force Control System -Virtual Roll Damper Control and Non-linear H_∞ Control-, *Transactions of the TOYOTA Technical Review*, Vol.49. No.2, pp.88-93

- Kosemura, R.; Takahashi, M. & Yoshida, K. (2008). Control Design for Vehicle Semi-Active Suspension Considering Driving Condition, *Proceedings of the Dynamics and Design Conference 2008*, 547, Kanagawa, Japan, September, 2008
- Itagaki, N.; Fukao, T.; Amano, M.; Ichimaru, N.; Kobayashi, T. & Gankai, T. (2008). Semi-Active Suspension Systems based on Nonlinear Control, *Proceedings of the 9th International Symposium on Advanced Vehicle Control 2008*, pp. 684-689, Kobe, Japan, October, 2008
- Tamaoki, G.; Yoshimura, T. & Tanimoto, Y. (1996). Dynamics and Modeling of Human Body Considering Rotation of the Head, *Proceedings of the Dynamics and Design Conference 1996*, 361, pp. 522-525, Fukuoka, Japan, August, 1996
- Tamaoki, G.; Yoshimura, T. & Suzuki, K. (1998). Dynamics and Modeling of Human Body Exposed to Multidirectional Excitation (Dynamic Characteristics of Human Body Determined by Triaxial Vibration Test), *Transactions of the Japan Society of Mechanical Engineers, Series C*, Vol.64, No.617, pp. 266-272
- Tamaoki, G. & Yoshimura, T. (2002). Effect of Seat on Human Vibrational Characteristics, *Proceedings of the Dynamics and Design Conference 2002*, 220, Kanazawa, Japan, October, 2002
- Koizumi, T.; Tujiuchi, N.; Kohama, A. & Kaneda, T. (2000). A study on the evaluation of ride comfort due to human dynamic characteristics, *Proceedings of the Dynamics and Design Conference 2000*, 703, Hiroshima, Japan, October, 2000
- ISO-2631-1 (1997). Mechanical vibration and shock-Evaluation of human exposure to whole-body vibration -, *International Organization for Standardization*
- ISO-5982 (2001). Mechanical vibration and shock -Range of idealized value to characterize seated body biodynamic response under vertical vibration, *International Organization for Standardization*
- Oya, M.; Tsuchida, Y. & Qiang, W. (2008). Robust Control Scheme to Design Active Suspension Achieving the Best Ride Comfort at Any Specified Location on Vehicles, *Proceedings of the 9th International Symposium on Advanced Vehicle Control 2008*, pp.690-695, Kobe, Japan, October, 2008
- Guglielmino, E.; Sireteanu, T.; Stammers, C. G.; Ghita, G. & Giuclea, M. (2008). *Semi-Active Suspension Control -Improved Vehicle Ride and Road Friendliness*, Springer-Verlag, ISBN- 978-1848002302, London
- Okamoto, B. and Yoshida, K. (2000). Bilinear Disturbance-Accommodating Optimal Control of Semi-Active Suspension for Automobiles, *Transactions of the Japan Society of Mechanical Engineers, Series C*, Vol.66, No.650, pp. 3297-3304
- Glover, K. & Doyle, J.C. (1988). State-space Formula for All Stabilizing Controllers that Satisfy an H_∞ -norm Bound and Relations to Risk Sensitivity, *Journal of the Systems and Control letters*, 11, pp.167-172
- ISO-8608 (1995). Mechanical vibration -Road surface profiles - Reporting of measured data, *International Organization for Standardization*
- Rimel, A.N. & Mansfield, N.J. (2007). Design of digital filters for Frequency Weightings Required for Risk Assessment of workers Exposed to Vibration, *Transactions of the Industrial Health*, Vol.45, No.4, pp. 512-519

Varterasian, H. H. & Thompson, R. R. (1977). The Dynamic Characteristics of Automobile Seats with Human Occupants, *SAE Paper*, No. 770249

Challenges and Paradigms in Applied Robust Control

Edited by Prof. Andrzej Bartoszewicz

ISBN 978-953-307-338-5

Hard cover, 460 pages

Publisher InTech

Published online 16, November, 2011

Published in print edition November, 2011

The main objective of this book is to present important challenges and paradigms in the field of applied robust control design and implementation. Book contains a broad range of well worked out, recent application studies which include but are not limited to H-infinity, sliding mode, robust PID and fault tolerant based control systems. The contributions enrich the current state of the art, and encourage new applications of robust control techniques in various engineering and non-engineering systems.

How to reference

In order to correctly reference this scholarly work, feel free to copy and paste the following:

Takuma Suzuki and Masaki Takahashi (2011). Robust Active Suspension Control for Vibration Reduction of Passenger's Body, Challenges and Paradigms in Applied Robust Control, Prof. Andrzej Bartoszewicz (Ed.), ISBN: 978-953-307-338-5, InTech, Available from: <http://www.intechopen.com/books/challenges-and-paradigms-in-applied-robust-control/robust-active-suspension-control-for-vibration-reduction-of-passenger-s-body>

INTech
open science | open minds

InTech Europe

University Campus STeP Ri
Slavka Krautzeka 83/A
51000 Rijeka, Croatia
Phone: +385 (51) 770 447
Fax: +385 (51) 686 166
www.intechopen.com

InTech China

Unit 405, Office Block, Hotel Equatorial Shanghai
No.65, Yan An Road (West), Shanghai, 200040, China
中国上海市延安西路65号上海国际贵都大饭店办公楼405单元
Phone: +86-21-62489820
Fax: +86-21-62489821

© 2011 The Author(s). Licensee IntechOpen. This is an open access article distributed under the terms of the [Creative Commons Attribution 3.0 License](#), which permits unrestricted use, distribution, and reproduction in any medium, provided the original work is properly cited.