Far-Infrared Single-Photon Detectors Fabricated in Double-Quantum-Well Structures

Takeji Ueda and Susumu Komiyama

The University of Tokyo
Japan

1. Introduction

Sensitive infrared (IR) detectors are key elements for both fundamental research and applications, and development of sensitive IR detectors is one of intensive research subjects in recent years (Rogalski, 2002; Tidrow, 2000). The activities are motivated by both basic and applied research fields (Prochazka, 2005; Rogalski, 2002). For certain applications, an ultimately high sensitivity reaching a photon-counting level is indispensable; for instance, passive high-resolution microscopy, catching IR photons spontaneously emitted by a living cell or a small number of biomolecules, may be accessible only with such ultimately sensitive detectors.

Photon-counters are routinely used in visible and near infrared regions (Prochazka, 2005). In the long-wavelength range (λ > 10 μm, frequencies lower than 30 THz), called terahertz (THz) region, however, photon energies are far smaller (hν < 124 meV for λ > 10 μm) and the single-photon detection is no longer trivial. Nevertheless, the THz region is one of the richest areas of spectroscopy of matters, encompassing the rotational spectra of molecules, vibrational spectra of molecules, liquids and solids, and the electron energy spectra in semiconductor nanostructures and superconducting energy gap in metals. Hence, sensitive microscopy of matters with high spatial resolution in this spectral region would provide a unique powerful tool for investigation of matters. Sensitive observation is also strongly demanded in astrophysics (Nakagawa et al., 2007).

In the last decade, a variety of novel detection schemes have been proposed (Astaviev et al., 2002; Day et al., 2003; Hashiba et al., 2006; Komiyama et al., 2000; Schoelkopf et al., 1999; Wei et al., 2008). Among them, only semiconductor quantum devices have demonstrated single-photon detection (Astaviev et al., 2002; Hashiba et al., 2006; Komiyama et al., 2000): The experimentally achieved noise equivalent power (NEP), less than 1 × 10^{-19} W/Hz^{1/2}, is by several orders of magnitude lower than those of any other detectors.

These Semiconductor photon-counters exploit a novel scheme, in which the photon absorption event leads to generation of a long-lived unit charge that is probed by a single-electron transistor (SET). The use of SETs, however, might restrict their application because the operation is limited to ultra-low temperatures (<1K). From the viewpoint of broader application, therefore, photon-counters usable at elevated temperatures are highly desirable. From the viewpoint of importance of the spectra of matters, it is also extremely important to
fill the gap region between the near infrared and the far infrared regions; that is, the long-wavelength infrared (LWIR) and the mid-infrared (MIR) regions.

In this chapter, another type of charge-sensitive infrared phototransistors in 5-50 μm wavelength range is described. The detectors are called charge-sensitive infrared phototransistors (CSIPs). The detectors can have ultra-sensitivity reaching singe-photon detection level, as well as ultra-broad dynamic range (> 10⁶, from attowatts to beyond picowatts) (Ueda et al., 2008). CSIPs can be operated reasonable temperatures (~25 K at 15 μm, depending on wavelength) (Ueda et al., 2009). The excellent noise equivalent power (NEP=6.8x10⁻¹⁹ W/Hz¹/²) and specific detectivity (D*=1.2x10¹⁵ cmHz¹/²/W) are demonstrated for λ=14.7 μm, which are by a few orders of magnitude superior to those of the other state-of-the-art detectors (Ueda et al., 2008). In addition, the simple planar structure is, similarly to CMOS sensors, feasible for array fabrication and will even make it possible to monolithically integrate with reading circuit.

2. Detection scheme and device structure

In CSIPs, an electrically isolated island of a QW is photoexcited to serve as a gate to a remote two-dimensional electron gas (2DEG) conducting channel. As schematically shown in Fig. 1 (a), photoexcited electrons escape the isolated QW island leaving holes behind. The photoelectrons are driven to the 2DEG conducting channel yielding photocurrents. Another effect larger than this direct photocurrent arises from the positive charge left on the QW island, which, through capacitive coupling, increases the electron density in the 2DEG channel and thus its conductance. The effect persists until the excited electrons recombine with holes in the isolated island, serving as an amplification mechanism. CSIPs are thus charge-sensitive phototransistor, in which a QW island works as a photosensitive floating gate.

![Fig. 1. (a) Schematic representation of the charge sensitive infrared phototransistor (CSIP) as a phpto-active field-effect transistor. (b) The energy diagram of double-quantum-well system. (c) Crystal structure for detection wavelength of 15 μm.](image)

The upper QW is so designed that the energy spacing between the ground subband and the first excited subband is ΔE =84 meV (for detection wavelength of λ=15 μm). When radiation with photon energy of ΔE is incident on the isolated QW, electrons are excited to the first
The crystals are grown by molecular-beam epitaxy (MBE). The crystal structure is shown in Fig. 1 (c). Undoped GaAs (~400 nm) and 10 periods of an Al$_{0.3}$Ga$_{0.7}$As (20 nm)/GaAs (2 nm) superlattice were first grown on the semi-insulating substrate. Then, a 1x10$^{24}$ m$^{-3}$ Si doped Al$_{0.3}$Ga$_{0.7}$As layer (10 nm) and an Al$_{0.3}$Ga$_{0.7}$As spacer layer (30 nm) were grown as a remote-doping layer to supply electrons to the successively grown undoped GaAs layer (20 nm), which serves as the lower QW in the DQW system. The 150-nm thick compositionally graded Al$_x$Ga$_{1-x}$As barrier (GB) and a 2-nm thick tunnel barrier (TB) are grown as the isolation barrier between the lower and upper QWs. Here, the growth was suspended between the GB and TB to change the Al beam. The GaAs layer as the upper QW was successively grown. Finally, an Al$_{0.3}$Ga$_{0.7}$As spacer layer and an Al$_{0.3}$Ga$_{0.7}$As uniform Si doping layer (1x10$^{24}$ m$^{-3}$, 40 nm) were grown to supply electrons to the upper QW. The surface is covered with a 10-nm-thick GaAs cap layer. The superlattice barrier below the lower QW improves the roughness of the GaAs/AlGaAs interface. The detection wavelength is controlled by changing the design width of upper QW (Ueda et al., 2011).

As shown in Fig. 2, the device consists of a wet-etched DQW mesa, alloyed AuGeNi ohmic contacts, Au/Ti Schottky gates (the isolation gate, IG, and reset gate, RG), and Au/Ti photocoupler (antenna). The device is fabricated with standard electron-beam lithography technique. The 2DEG layer in both of the QWs are normally connected by ohmic contacts, and can be electrically isolated by biasing metal isolation gates. The active areas of devices are freely defined in lithography. The coupler is used to cause intersubband transition by generating electric filed normal to the plane of the QW against the normally incident radiation. It should be mentioned that the simple planar structure of CSIPs is
feasible for array fabrication (fabricated example is shown in Fig. 3). The FET structure would have an advantage of future monolithic integration with reading circuits.

Fig. 3. 20x 20 CSIP focal plane array

Fig. 4. (a) I-V measurement of a CSIP with scanning gates (IG and RG) bias. (b) Integration ramps of the measured photo-current against incident radiation with different intensities. Releasing the accumulated charge in the floating gate with reset gate pulses restore the detector to its original state.

In actual practice of operation, the optimized metal-gate bias is found in gate-bias-dependent IV curve where photosignal reaches maximum amplitude as shown in Fig. 4 (a). The signal appears when FET is formed: upper QW is electrically isolated and the accumulated photoholes induce larger current flowing in the lower QW.
As in Fig. 4 (b), to avoid the saturation of the signal, the accumulated charge is released to the reservoir by applying a brief positive pulse (e.g., +0.3V, 1 μs) to the RG, and the CSIP is reset to the original highly sensitive state (An et al., 2007). Conventional photoconductive detectors yield a certain amplitude of photocurrent that is proportional to the incident radiation intensity. The scheme of CSIPs is different: The source-drain current continues to increase with time under steady illumination, where the speed at which the current increases, $a=\Delta I/\Delta t$, is proportional to the incident radiation intensity.

This photoresponse can be interpreted by increase of electron density in lower QW induced by capacitively coupled photoholes stored in the isolated upper QW. The unit increment of current $I_e$ induced by one photohole in the isolated upper QW (area of $L \times W$) is given by:

$$I_e = \frac{e \mu V_{SD}}{L^2}$$

where $e$ is the unit charge, $\mu$ the electron mobility of lower QW, $V_{SD}$ the source-drain (SD) voltage, $L$ the length of constricted channel. For example, unit increment $I_e = 3$ pA is given for $\mu = 1$ m$^2$/Vs, $V_{SD} = 10$ mV and $L = 16$ μm. The signal $I_e$ persists as long as a photohole stays in upper QW. By setting the lifetime $\tau = 1$ s, the amplification factor, or photoconductive gain, is given as $G = \tau I_e/e = 1.8 \times 10^7$. This value is comparable to that of

Fig. 5. Energy diagram illustrating photo-saturation.
photomultiplier tubes. The increase of the current is proportional to the number of accumulated photoholes $p$:

$$\Delta I = p I_c$$  \hspace{1cm} (2)

Under steady illumination, $p$ is a linearly increasing function of time if the lifetime of photoholes is longer than the relevant time of integration. The number of photoholes, of course, does not increase infinitely, but reach a saturated value. The saturation is caused by balance between generation and recombination speeds of photoholes which change with deformation of the potential profile due to accumulating positive charges in upper QW, as shown in Fig. 5. The potential drop is given by $\Delta U = p e^2 d/\epsilon LW$, where $d = 150$ nm is the distance between upper and lower QWs, $\epsilon = 12 \times (8.85 \times 10^{-12})$ F/m is the electric permittivity of GaAs. The number of photoholes is described by the rate equation:

$$\frac{dp}{dt} = \eta \Phi - \frac{p}{\tau}$$  \hspace{1cm} (3)

where $\eta$ is quantum efficiency, $\Phi$ is the incident photon flux (photons/s), and $\tau$ is the lifetime of photoholes. The first and second term in the right-hand side of Eq. 3 refer to the generation and recombination speed of photoholes, respectively.

### 3. All-cryogenic spectrometer

It is not trivial to accurately characterize ultrasensitive detectors in far infrared region. In usual setup, a monochromator system is placed at room temperature. Then, in case of ultrasensitive detection in far-IR and THz region, the measurements suffer from the thermal background blackbody radiation (BBR) at 300K that can be much stronger than the light guided from the external source. This caused a serious problem for the study of extremely sensitive CSIPs, the intrinsic characteristics of which may be significantly affected by relatively weak background radiation. It was also difficult to determine accurate excitation spectrum.

We characterize CSIPs in reliable manners by developing a home-made all-cryogenic spectrometer (4.2K) (Ueda, 2007). As illustrated in Fig. 6 (a), the all-cryogenic spectrometer consists of an emitter, a parabolic mirror, a rotating diffraction grating, and the detector. The whole system is assembled on a 1cm-thick copper base plate and inserted in a 60mm \( \Phi \) metal pipe.

The emitter is a 1k\( \Omega \) thin metal-film chip resistor (Fig. 6 (b)), consisting of a 1x2mm\(^2\) resistive metal film coated on a 0.5mm-thick alumina substrate and covered with a ~20\( \mu \)m-thick glass overcoat layer. The resistance (1k\( \Omega \)) does not change appreciably in the range of temperature studied (4.2K up to 244K). The resistor is sealed in a small metal chamber (8 mm-length and 4 mm-diameter, not shown in Fig.6 (b)) and suspended in vacuum (~3x10\(^{-4}\) Pa) by current leads (0.2mm\( \phi \) Manganin wires). We suppose that the resistor serves approximately as a black body when heated with current, since the emissivity of the overcoat glass layer is beyond 90% in the LWIR range. The emitted radiation is transmitted through a 625\( \mu \)m-thick GaAs window (optical transmittance of 50-60% in a 5-15 \( \mu \)m wavelength region) of the small chamber. The resistance of the current leads is ~30 \( \Omega \) over the total length (2 m) in the cryostat. Hence the electrical power is substantially dissipated.
by the chip resistor. The emitter temperature, $T_{\text{emitter}}$, is monitored with a thermocouple, Chromel-Au/Fe (0.07 %) glued to the backside of the resistor (Fig.6 (b)). The values of $T_{\text{emitter}}$ will be shown as a function of the input electrical power $P_{\text{in}}$ in the inset of Fig.9 (b).

Fig. 6. (a) All cryogenic spectrometer; schematic representation and a photograph. (b) A 1kΩ thin metal film chip resistor serving as a black-body radiator. The emitter is packaged in a small vacuum metal chamber with a GaAs window.

The parabolic mirror collimates broadband BBR from the emitter and directs it to the diffraction grating, which will be described in the next paragraph. The angle of diffraction grating is controlled mechanically from the outside of the cryostat. The radiation diffracted at the grating is guided to the detector. The detector is installed in a small copper box with a 4 mmφ and 20 mm-long metal pipe at the entrance. The inner wall of the entrance pipe is screw patterned so as to prevent stray lights from entering the detector box.

A home-made diffraction grating is used. Commercially available diffraction gratings are usually composed of materials of different thermal expansion coefficients, like an epoxy substrate coated with aluminum films. They are hence unreliable for the use at cryogenic temperatures. We fabricated a diffraction grating using a GaAs crystal. A GaAs crystal surface was patterned into 7.5µm-wide and 7.5µm-deep trenches at 15 µm-period via mesa etching with a solution of $\text{H}_2\text{PO}_4 : \text{H}_2\text{O}_2 : \text{H}_2\text{O} = 4 : 1 : 40$ (etching rate: 40 nm/min) at 25°C. The etching was made for 4.5 hours. The slow rate and the long time of etching were chosen so as to round the groove edges through under-etching the resist mask. The rounding of groove edges was necessary for obtaining a reasonable amplitude for the 1st-order diffraction by reducing the 0th-order diffraction (specular reflection). Finally the trenched GaAs surface was coated with a 20nm-Ti/300nm-Au layer via vacuum evaporation.

The whole spectrometer system is immersed in liquid helium (T=4.2K). The 300K BBR from the warm part of the cryostat is blocked by placing copper plates at a 10 cm-interval inside the metal pipe. The emitter chamber is made vacuum by pumping through a thin, 4-mm diameter, metal pipe. The pipe is narrowed to 2mmφ at the entry to the chamber and bended at two places for minimizing the 300K-BBR entering through the vacuum pipe.

The wavelength resolution of the present optical setup was evaluated to be $\Delta \lambda_p = 1.0$ µm (full width at half maximum, FWHM) by using a Fourier Transform Infrared Spectroscopy (FTIR) system.
4. Spectral response

The spectral response of the detector was studied by varying the angle of the diffraction grating of All cryogenic spectrometer at a step of $\Delta \theta = 0.4$ degree (corresponding change in the wavelength of 0.2 $\mu$m). The emitter was fed with an electrical power of $P_{in}=0.1$ W, where the thermocouple indicated $T_{emitter}=130$K.

![Spectral response graph](image)

Fig. 7. The detection spectrogram of the CSIP studied by the all cryogenic spectrometer, where the instrumental resolution is $\Delta \lambda_g = 1\mu m$ as marked by the bar. The inset displays the original spectral chart.

The inset of Fig. 7 shows the current increases $\alpha=\Delta I/\Delta t$ against the angle of grating $\theta$, where the central peak ($\theta=0$) corresponds to the $0^{th}$ order diffraction and the two symmetrically located side peaks are the $\pm 1^{st}$ order diffractions. Figure 7 elucidates the spectrogram of the right-hand side peak, where the horizontal axis is scaled by the wavelength. The peak wavelength is $\lambda=14.7\mu m$, and the apparent spectral bandwidth (FWHM) is $\Delta \lambda_{app}=1.6\mu m$. By noting the instrumental resolution of $\Delta \lambda_g=1.0\mu m$, we evaluate the true bandwidth to be $\Delta \lambda_d\approx1.0\mu m$ (Ueda et al, 2007).

Similarly, spectral responses for CSIPs with different upper QW widths, i.e. subband energy, have been studied (Ueda et al., 2011). As shown in Fig. 8, CSIPs cover the wavelength range of 10-50 $\mu$m, where there was no available ultrasensitive detector, reaching single-photon counting level.

5. Single-photon signal and dynamic range of CSIPs

Because the incident radiation intensity to the detector is not accurately determined by the experimental setup shown in Fig. 6 (a), the detector box was placed immediately in front of the emitter chamber as illustrated in the inset of Fig. 9 (a). Knowing the geometry, we can derive absolute values of the incident radiation intensity as will be discussed later. (Though wavelength selection is not made, only a narrow detection band (Fig. 7) contributes to the photo-response.)
Fig. 8. Spectral response of CSIPs with different intersubband energies.

Fig. 9. (a) Time traces of the photo current, $\Delta I$, obtained in different incident-radiation intensities, where the emitter directly faces the detector as shown in the inset. The electric power fed to the emitter, $P_{in}$, and the emitter temperature, $T_{emitter}$, are indicated for the respective curves. (b) The rate of photo-current increase ($\alpha = \Delta I / \Delta t$) vs. the input electric power fed to the emitter ($P_{in}$). The emitter temperature $T_{emitter}$ is also indicated. The inset shows $T_{emitter}$ as a function of $P_{in}$, studied by the thermocouple attached to the emitter.
Figure 9 (a) displays time traces of the photo-induced change in the source-drain current, $\Delta I$, obtained after the detector has been reset at $t=0$ sec with a pulse of 1usec duration. The curves are taken with four different radiation intensities ($T_{\text{emitter}}=56K, 69K 82K$ and $97K$) for $P_{\text{in}}= 25mW\sim 64mW$. It is clearly seen that the increase of current levels off deviating from the linear increase when $\Delta I$ exceeds around 20 nA. The current increases linearly in a small range of $\Delta I<20$ nA. The slope of the linear increase, $\alpha=\Delta I/\Delta t$, is the signal intensity indicating the rate at which photo-generated holes are accumulated in the isolated upper QW. Figure 9 (b) shows $\alpha=\Delta I/\Delta t$ as a function of the input electric power $P_{\text{in}}$ fed to the emitter, where $T_{\text{emitter}}$ is marked on each data point. Background blackbody radiation corresponding to 50 K still remains, but fortunately, the analysis is not affected by the radiation.

Though not visible in Fig.9 (a), closer look at the time traces makes it probable that the current does not increase smoothly but it increases stepwise, as exemplified in Fig. 10. The data of Fig.10 are taken with a time constant of measurements of $\Delta t=1$sec for $P_{\text{in}}=1mW$ ($T_{\text{emitter}}=14K$).

$$\text{Fig. 10. Time trace of } I \text{ obtained with } T_{\text{emitter}}=14 \text{ K, which is represented in a magnified scale.}$$

Figure 11 shows the histogram of the frequency of step-wise change ($\Delta I_{\text{plateau}}$) between clear plateaus (omitting small winding in continuous slope), occurring in the curves obtained at different low illumination intensities ($T_{\text{emitter}}<50K$). It is likely that the histogram consist of the Gaussian distributions with the mean values of $<\Delta I>=\mu=3pA, 6pA, 9pA$ and $12pA$. It is hence suggested that the increase of $\Delta I$ takes place with a step of $\Delta I_{\text{step}}=3pA$.

In the present scheme of photo detection (Figs. 1 and 2), the current through the lower QW layer is expected to increase by Eq. (1). The values of the mobility of the lower QW layer $\mu = 4.3x10^5 \text{cm}^2/V$, source-drain bias voltage $V_{SD}=10mV$, channel length $L=16\mu m$ yield $\Delta I =2.7pA$, which is close to the experimentally observed amplitude of the unit step $\Delta I_{\text{step}}=3pA$ in the above. We note in Fig. 9 (a) that the detector exhibits linear response for the excited holes less than $20 \text{nA}/3 \text{ pA} = 7x10^3$. 

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Fig. 11. The histogram of the stepwise change of current ($\Delta I_{\text{plateau}}$), occurring in $\Delta I$ versus $t$ curves. Fitting lines represent the Gaussian distribution with $\langle \Delta I \rangle$ the mean value and $\sigma$ the standard deviation.

The quantum efficiency, $\eta = \{a/\Delta I_{\text{Step}}\}/\Phi$, is an important parameter defining the ratio of the rate of detected photons, $a/\Delta I_{\text{Step}}$, to that of the total incident photons, $\Phi$. Here, the total incident photon flux is given by

$$\Phi = (\varepsilon f_{\text{att}}) \left( \frac{B(\lambda, T)\Omega \lambda d}{hc/\lambda} \right) S_{\text{em}}$$

where $B(\lambda, T) = (2hc/\lambda^3)\{\exp(hc/\lambda k_B T)-1\}$ is the Plank’s formula with $h$ the Planck constant, $k_B$ the Boltzmann constant and $c$ the light velocity, $\Delta I_{\text{d}}=1\mu$m is the detector bandwidth and $\Omega=S_{\text{iso}}/d^2 = 1.2\times10^{-7}\text{sr}$ is the solid angle with the active detector area of $S_{\text{iso}}=WL_{\text{iso}}=64\mu m^2$ with an emitter/detector distance of $d=2.3\text{cm}$. Here, $S_{\text{em}}=8\text{mm}^2$ is the effective emitter area, $\varepsilon \sim 1$ is the emissivity of the emitter (glass surface), $f_{\text{att}}=0.45$ is the attenuation due to reflection at the GaAs window and $hc/\lambda = h\nu = 83$ meV is the photon energy ($\lambda=14.7\mu m$). Knowing these parameter values, we can derive the photon flux, $\Phi$, from $T=T_{\text{emitter}}$.

The curve of $a$ versus $P_{\text{in}}$ ($T_{\text{emitter}}$) in Fig. 9 (b) is re-plotted in terms of the count rate, $a/\Delta I_{\text{Step}}$, and the incident photon flux, $\Phi$, in Fig.12. The linear relationship between $a/\Delta I_{\text{Step}}$ and $\Phi$ assures the validity of our analysis, and indicates an efficiency of $\eta = 2 \pm 0.5\%$. The dynamic range of linear response is $\sim 10^7$ ($\Phi = 4\times10^8$/sec $\sim 4\times10^9$/sec, or $P=\Phi h\nu = 5.3\times10^{-19}W \sim 1.3\times10^{-12}W$). Note that the maximum radiation power in Fig. 6 ($\Phi = 1\times10^8$/sec or $P=\Phi h\nu = 1.3\times10^{-12}W$) is not determined by the capability of the detector but is restricted by the emitter ($T_{\text{emitter}} = 244K$ with $P_{\text{in}}=225\text{mW}$). As discussed later, the detector is expected to show linear response up to much higher power levels ($P=10^9W$) in an appropriate condition of reset pulses, suggesting a much wider dynamic range reaching $10^{13}$. 
Fig. 12. Count rate of the photosignal vs. incident photon flux $\Phi$. Photon fluxes of $\Phi=10^2$ photons/sec corresponds to $P_{in} = \Phi \ h \nu = 1.3 \times 10^{-18}$ W.

6. Figures of merit

The current responsivity of the detector, $R = \Delta I / (h \nu \Phi)$, is the photocurrent amplitude $\Delta I$ divided by the incident radiation power. In the CSIP, $\Delta I = \alpha \Delta t I$ is proportional to the integration time, $\Delta t$, which can be arbitrarily chosen. If we take a typical reset interval, in a range of $\Delta t = 10$ msec $\sim$ 1 sec, we derive $R = \eta (\Delta I_{\text{step}} / h \nu \Delta t I) = (4 \times 10^4 \sim 4 \times 10^5)$ A/W by noting $\eta = (\alpha / \Delta I_{\text{step}}) / \Phi$ with $\Delta I_{\text{step}} = 3$ pA and $\eta = 0.02$. The responsivity is thus by many orders of magnitude larger than that of well known QWIPs, for which $R$ is typically $\sim 0.5$ A/W (Levine, 1993; Yao, 2000). We can also write the responsivity as $R = \eta (e / h \nu) g$ by using the “photoconductive gain” $g$, which refers to the effective number of electrons generated by a single photon. We mention that the large value of $R$ comes from the extremely high photoconductive gain, $g = (\Delta I_{\text{step}} / e) \Delta t I = 1 \times 10^5 \sim 1 \times 10^7$, in the CSIP.

Noise equivalent power (NEP) is defined by

$$NEP = \frac{P}{\text{SNR} \sqrt{\Delta f}}$$  \hspace{1cm} (5)

where $P$ is the power of incident radiation, $\text{SNR}$ is the signal to noise ratio, and $\Delta f = 1 / (2 \Delta t)$ is the frequency bandwidth of measurements with $\Delta t$ the averaging time. We evaluate Eq.(5) by taking three curves of $\Delta I$ versus $t$ shown in the inset of Fig.7 as an example. These curves are taken for $T_{\text{emitter}} = 44$ K ($P_{in} = 2.8$ aW), 51 K (4.5 aW) and 55 K (5.0 aW). Considering the time constant $\tau = 1$ sec of measurements, we evaluate the noise from $\sqrt{\left(\alpha - \bar{\alpha}\right)^2}$, where $\bar{\alpha}$ is the average slope (count rate) of each curve for a long time (>15 sec) and $\alpha = \Delta I / \Delta t$ is the slope at each point over $\Delta t = 1$ sec. For each curve, we derive $\text{SNR} = 2.1$, 1.9 and 2.2 for $\Delta t = 1$ sec and obtain $\text{NEP} = 1.9 \times 10^{-18}$, $3.4 \times 10^{-18}$ and $3.3 \times 10^{-18}$ W/Hz$^{1/2}$.

It is interesting if the noise in the present measurements arises from detector specific electrical noise or is ascribed to the photon noise. If the detector noise is ignored, random
events of photon arrival give rise to the photon noise, like the shot noise in the electron current. On the average, \(N\Delta t\) photons are counted over integration time of \(\Delta t\) when the photon count rate is \(N=\eta \Phi_0/\Delta I_{\text{Step}}\). Since the standard deviation from the average is given by \((N\Delta t)^{1/2}\) in the Poisson distribution, SNR of an ideal detector (free from any detector-specific noises) is \((N\Delta t)^{1/2}\). It follows that NEP is given by (Knuse et al., 1962)

\[
\text{NEP}_{BLIP} = h\nu / \sqrt{\eta} = h\nu / \sqrt{2N} / \eta
\]

in the condition when the noise is dominated by the photon noise; i.e., in the background limited performance (BLIP). We have \(\text{NEP}_{BLIP} = 1.9 \times 10^{-18}, 2.5 \times 10^{-18}\) and \(2.6 \times 10^{-18}\) W/Hz\(^{1/2}\), respectively, for the three conditions \((N=4.2, 6.7\) and \(7.4)\) of the data in the inset of Fig.10. The fact that these values are close to the \(\text{NEP}\) values derived from Eq.(5) indicates that the fluctuation in the present measurements comes from the randomness in the photon arrival events and that the detector-specific noise is indiscernibly small.

The true \(\text{NEP}\) is obtained by replacing \(N\) in Eq.(6) by the dark count rate \(\Gamma\), (Brule Technologies, Inc., 1980)

\[
\text{NEP} = h\nu / \sqrt{2\Gamma / \eta}
\]

In the present spectrometer, weak background radiation makes hinder direct determination of \(\Gamma\) because of background blackbody corresponding at 50 K. In another optical system, we studied the detector in the complete dark condition, and obtained \(\Gamma=0.5\) sec\(^{-1}\), which yields \(\text{NEP}=6.8 \times 10^{-19}\) W/Hz\(^{1/2}\).

The fact that the noise in the present measurements arises from the photon noise is also supported by the inter-step interval histograms. A time trace of \(\Delta I\) for \(P_m=1\)mW was studied for 700 seconds in the present spectrometer (partially shown in Fig. 10). The local slope of the curve, \(a(t) = \partial I / \partial t\), was numerically calculated at each time point \(t\) of the curve, where the value is averaged over 1sec at each point. Figure 13 (a) represents the frequency of different slopes as a function of the steps per seconds or \(a(t)/\Delta I_{\text{Step}}\) with \(\Delta I_{\text{Step}}=3\)pA. In the trace of \(\Delta I\), upward stepwise change as well as downward change are recognized, which were separately analyzed in Fig.13 (b) (Gain) and (c) (Loss). As expected for single-photon detection, all histograms in Figs. 10 are fairly well described by the Poisson distribution, \(f(k,N) = e^{-\nu} \nu^k / k!\), where \(k\) is the number of occurrence of an event and \(\nu\) is the variance. We mention that the average rate of Loss events \(\nu=0.5\) in Fig.13 (c) is close to the dark count rate.

Specific detectivity, \(D^*\), is the reciprocal value of \(\text{NEP}\) normalized by the detector active area \(S_{\text{iso}}\)

\[
D^* = \frac{\sqrt{S}}{\text{NEP}}
\]

With \(S_{\text{iso}}=64 \times 10^{-8}\)cm\(^2\) for the present detector, we have \(D_{BLIP}^* = 4.1 \times 10^{14}, 2.3 \times 10^{14}\) and \(2.5 \times 10^{14}\)W/Hz\(^{1/2}\) in the background limited conditions \((\text{NEP} = 1.9 \times 10^{-18}, 3.4 \times 10^{-18}\) and \(3.3 \times 10^{-18}\) W/Hz\(^{1/2}\)). As for the true specific detectivity of the detector at 4.2K, we have
$D^* = 1.2 \times 10^{15} \text{cmHz}^{1/2}/\text{W}$ from $\text{NEP} = 6.8 \times 10^{-19} \text{W/Hz}^{1/2}$. CSIPs are thus highly sensitive detectors with values of $D^*$ much higher than those of conventional detectors like QWIPs ($D^* = 10^{10} - 10^{13} \text{cmHz}^{1/2}/\text{W}$ at 4.2–80 K) (Levine, 1993; Yao et al., 2000) and mercury-cadmium telluride (MCT) detectors ($D^* \approx 10^{10} \text{cmHz}^{1/2}/\text{W}$ at ~80 K) (Rogalski, 2002).

Fig. 13. Histogram of the photo-current $\Delta I$ per second. The photocurrent is measured in unit of $\Delta I / \Delta t = 3 \text{pA}$ so that the horizontal axis is scaled by the number of steps per second, $(\Delta I / \Delta t) / \Delta t = a / \Delta I_{\text{Step}}$. The data are derived by analyzing a time trace of $\Delta I$ for 700 sec at $P_{\text{in}} = 1 \text{mW}$: (a) All events of both gain signal (generation of holes) and loss signal (loss of holes due to recombination) are included. In (b) and (c), the gain signal and the loss signal are separately shown.

The intrinsic speed of detection will be limited by the transistor operation, which may be faster than 1 ns. In actual practice of detector operation, the detection speed may be determined by the frequency of applicable rest pulse, which may be restricted to about 300 MHz (~3 ns interval). The maximum incident radiation power will be hence $P_{\text{max}} \approx (7 \times 10^3 \ h\nu/3 \ ns)/\eta \sim 2 \mu \text{W}$, which makes us to expect that the dynamic range can be expanded to $10^{13}$ by assuming the minimum detectable power to be $P_{\text{min}} \sim 1 \times 10^{-19} \text{W}$.

7. Improvement of quantum efficiency

Quantum efficiency $\eta$ is an important parameter for the detector. High values of $\eta$ (>30%) are reported in conventional QW IR photodetectors, where photons are absorbed by more than 30 multiple QWs. High quantum efficiency is not trivial in CSIPs, where photons are absorbed by only one QW. In most experimental conditions of CSIP for $\lambda = 12$–15 $\mu$m, the efficiency $\eta = \eta_1 \eta_2$ is primarily determined by the coupling strength of electrons to the incident radiation, namely, $\eta = \eta_1 \approx 1$.

Recently we proposed and demonstrated efficient photo-couplers for CSIPs ($\lambda = 15 \mu$m) by exploiting surface-plasmon-polariton (SPP) resonance occurring in aperture metal sheets coated on top of the crystal surface (Fig. 14 (a)) (Nickels et al, 2010). The SPP resonance induces wavelength-selective strong electric confined near the surface of the metal sheets...
intensifying the subband transition in the QW 100 nm below the surface. The quantum efficiency has been experimentally studied by applying different metal photocouplers as displayed in Fig. 14 (b) and compared with simulation results in Fig. 14 (c).

![Fig. 14](image-url)

Fig. 14. (a) Schematic representation of photocoupler. (b) Metal meshes studied. White and black characters indicate, respectively, the lattice period $p$ and the experimentally derived quantum efficiency $\eta$. (c) Results of simulation calculation are shown for (a) cross-hole arrays and (b) square-hole arrays: from the top, normalized field intensity $\langle E_z^2 \rangle / \langle E_{z0}^2 \rangle$, the total power transmission, and the zeroth-order transmission, against the ratio $\lambda_{\text{GaAs}} / p$ with $\lambda_{\text{GaAs}} = 4.3 \ \mu m$. $E_z$ is the electric field normal to the QW plane at the position of upper QW (100 nm below the surface) and $E_{z0}$ is the electric field of incident radiation. Theoretically, $\langle E_z^2 \rangle / \langle E_{z0}^2 \rangle = 2$ gives roughly $\eta = 7\%$, which agrees with the experiment.

In the experiments, an efficiency of $\eta = 7\%$ has been achieved by utilizing the surface plasmon excitation in a 2-D metal hole array (inductive metal mesh) with cross-shaped holes lining up at a lattice period of 4 $\mu m$ (~wavelength in GaAs). Other coupler geometries such as 2-D metal hole arrays with square-shaped holes, 2-D metal patch arrays (capacitive metal mesh), and patch antennas (microstrip antennas) have yielded lower values of $\eta \approx 1\%$–$3\%$ (Ueda et al., 2008; Nickels et al., 2010). The device used for Fig. 12, for instance, utilizes a patch antenna coupler yielding $\eta \approx 2\%$ (Ueda et al., 2008). Simulation suggests that $\eta \approx 7\%$ is not a highest achievable value but can be improved by a factor of ~3 ($\eta \approx 20\%$) when a resonant cavity is formed by the metal hole array and the n-type substrate. Values of the current responsivity and the NEP given in the section 6 have been so far derived by assuming $\eta = 2\%$. The figure-of-merits of the CSIP will be improved in accordance to $\eta$. 

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8. Temperature dependence of the performance

Higher temperature operation is desired for practical applications. There is in general, however, a trade-off between high sensitivity of an IR detector and operation temperature. The external constraint is that sensitive devices are saturated by strong background blackbody radiation from surrounding materials. The internal constraint is that the thermionic emission inside the device becomes equivalent to photo-emission. The former may be determined by optical setup, as well as relative intensity of signal radiation to the background. Here, we discuss the latter intrinsic constraint.

![Fig. 15](a) Time traces of the photocurrent with $\Phi=1 \times 10^5$ s$^{-1}$ at different temperatures. (b) Theoretical time traces of photo current in terms of $p$ at different $T$ (solid line), and lifetime change (dotted line)

In Fig. 15 (a), time traces of photo-current at different temperatures are displayed under the fixed photon flux $\Phi=1 \times 10^5$ s$^{-1}$ (Ueda et al., 2009). The temperature effect appears as the lower amplitude of photo-current saturation. It should be noted that the slope, $\alpha=\Delta I/\Delta t=\eta I_e$, in the initial stage of each trace is independent of $T$, assuring that $\eta I_e$ is independent of $T$. This means higher frequency reset operation is required, i.e., the integration time is shortened, in the elevated temperatures. The photo-signal is discernible up to 30K for the CSIP of $\lambda=15$ $\mu$m. The derived NEP and $D^*$ up to $T=23$ K with integration time of 1s are given as $\text{NEP}=8.3 \times 10^{-19}$ W/Hz$^{1/2}$, and $D^*=9.6 \times 10^{14}$ cm Hz$^{1/2}$/W, which are not very different from the 4.2 K values mentioned above (Ueda et al., 2009).

The understanding of photo-current saturation directly leads to temperature dependent physics inside the device. The potential profile changing in the detection is shown in Fig. 5. The potential height of the triangular barrier in equilibrium is $U=\Delta E-\delta U$, i.e., barrier height is lower, by $\delta U=15$ meV, than subband energy splitting of $\Delta E$. Here the barrier height $U=U_{L}=U_{U}$ is measured from electrochemical potential of upper or lower QW, $\zeta=L_{L}=L_{U}$.

Under illumination, the energy of the floating upper QW with $p$ photoholes decreases against the grounded lower QW by $\Delta U=|\zeta_{L}-\zeta_{U}|=pe^2d/\kappa LW$, where $e$ is the charge of
electron, \( d \) is the distance between the upper and the lower QWs, and \( \kappa = 12 \times (8.85 \times 10^{-12}) \) \( F/m \) is the electronic permittivity of the crystal. The net potential barrier height measured from \( \zeta_L \) then decreases to be \( U_{L} = (\Delta E - \delta E) - \Delta U \) by \( p \) photoholes, while \( U_{U} = \Delta E - \delta E \) remains constant. The barrier reduction assists the electrons in the lower QW to recombine with photoholes in the upper QW. The photo-current saturation occurs when the recombination process becomes equivalent to the photohole generation process. Obviously, more electrons in the lower QW contribute to the recombination process at higher temperature. Finally at around \( T = 30 \) K, the number of traveling electron across the barrier exceeds that of photo-emitted electrons even without band-deformation.

Temperature dependence shown in Fig. 15 (a) arises from decrease of the lifetime of photoholes. The number of photoholes is determined by the rate equation (3). The recombination rate, \( p/\tau \), is given by difference between \( \dot{n}(U_L) \) and \( \dot{n}(U_U) \),

\[
\frac{p}{\tau} = \dot{n}(U_L) - \dot{n}(U_U)
\]

where \( \dot{n}(U_U) \) is the rate from the upper QW to the lower QW and \( \dot{n}(U_L) \) the rate of the opposite flow. Here again, \( U = U_L \) and \( U = U_U \) are the potential heights of triangular barrier measured from each electrochemical potential \( \zeta \) of the lower QW, \( \zeta = \zeta_L \), and the upper QW, \( \zeta = \zeta_U \), respectively (Fig. 5).

The thermal electron emission is given as

\[
\dot{n}(U) = \frac{LW}{d} D \int_0^\infty \psi \Theta f \, d\epsilon
\]

where \( D = m^*/\pi\hbar^2 \) is the two-dimensional density of states with \( m^* = 0.0665x(9.1x10^{-31}) \) kg the effective mass of conduction electrons in GaAs, and \( \psi = (2\epsilon/m^*)^{1/2} \) the electron velocity with \( \epsilon \) measured from the bottom of the conduction band, \( \Theta \) is the transmission probability, and \( f = [1 + \exp((\epsilon - \zeta)/k_B T)]^{-1} \) is the Fermi distribution function with \( k_B \) the the Boltzmann constant. Here, we use WKB approximation of \( \Theta \), in which \( \Theta = 1 \) (at \( \epsilon > U_L \)), and

\[
\Theta = \exp \left[ -\frac{4}{3eF} \left( \frac{2m^*}{\hbar^2} \right)^{1/2} (U - \epsilon)^{3/2} \right]
\]

(at \( \epsilon < U_U \)),

where \( F = U_{L}/ed \) is the electric field given by the slope of the deformed triangular barrier.

As shown in Fig. 15 (b), the predicted time traces of \( p \) (photo-signal) at different \( T \)'s substantially reproduce experimental results. It should be noted that adjustable parameters are not involved in the calculation. The temperature dependence is hence concluded to arise from those thermally activated electrons that are transmitted across the potential barrier to be recombined with holes in the isolated QW.

At the temperature limit, \( T_{lim} \), Eqs. 3 and 9 becomes \( 2\eta = \dot{n}(U_U) \) by assuming \( \dot{n}(U_U) \approx \eta \Phi \) under \( dp/dt = 0 \) and \( \Delta U = 0 \). The relationship between subband energy the \( \Delta E \) and temperature limit \( T_{lim} \) can be obtained:
\[ \Delta E - \delta E \approx -k_B T_{\text{lim}} \ln \left( \frac{2\eta \Phi d}{LWD_v k_B T_{\text{lim}}} \right) = \gamma T_{\text{lim}} \]  

(12)

where \( v = (2E_F/m^*)^{1/2} \) is Fermi velocity. Here, integration is made only for \( E > U \) with \( \Theta = 1 \) and \( f \approx \exp(-E/k_B T) \), i.e., only thermionic emission is considered. Since contribution of \( T_{\text{lim}} \) in the logarithm is not significant, the temperature limit shows almost linear dependence on the subband energy with quasi-constant \( \gamma > 0 \). For the \( \lambda = 15 \ \mu m \), the parameter values yields \( T_{\text{lim}} = 29 \ \text{K} \), which is close to the experimentally observed limit temperature.

9. Conclusion

We have developed the novel ultrasensitive detectors, named charge-sensitive infrared phototransistors (CSIPs). We demonstrated the single-photon detection in the wavelength range of 10 – 50 \( \mu m \) for the first time. The accurately determined specific detectivity as \( D^* = 9.6 \times 10^{14} \text{cm Hz}^{1/2}/\text{W} \) for \( \lambda = 14.7 \ \mu m \) is by a few orders of magnitude higher than those of other conventional detectors. In addition, the planar FET structure of CSIPs is feasible for developing large scale array including monolithic integration with readout circuit. The quantum efficiency is improved up to 7% by using the surface-plasmon polariton couplers. The detectors can keep the sensitivity up to \( T = 23 \ \text{K} \) for \( \lambda = 15 \ \mu m \), and the temperature dependence of the detector performance is reasonably interpreted by a simple theoretical model. We developed CSIPs for several wavelengths in 10-50\( \mu m \), covering attractive spectral range for passive observation of spontaneous emission from RT object. Recently CSIPs have been applied to the construction of a highly sensitive passive microscope (Kajihara et al., 2009; 2010; 2011).

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11. References


In this book some recent advances in development of photodetectors and photodetection systems for specific applications are included. In the first section of the book nine different types of photodetectors and their characteristics are presented. Next, some theoretical aspects and simulations are discussed. The last eight chapters are devoted to the development of photodetection systems for imaging, particle size analysis, transfers of time, measurement of vibrations, magnetic field, polarization of light, and particle energy. The book is addressed to students, engineers, and researchers working in the field of photonics and advanced technologies.

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